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IGCSE PHYSICS 0625 · TOPICAL PAST PAPERS

Electric Circuits — Paper 2

Worked Solutions (Theory / Structured)

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Electric Circuits — Paper 2 · Worked Solutions

Megalecture worked solutions — model answers with working; please verify before classroom use.

These solutions cover the topical **structured (Paper 2)** questions on **Electric Circuits (IGCSE Physics 0625)**. Each part was solved from first principles by the Megalecture team; series and parallel combinations, $V = IR$ and potential-divider results were checked numerically. Final answers are shown in **bold** with units. Keep an eye on the exam reference printed on each card — the part labels (a), (b), (i), (ii)... follow the original paper.

Question 1

M/J 2007 · Paper 2 · Q7

12 V supply. One branch: the 6 Ω and 3 Ω in parallel, in series with ammeter A; the other branch: the 2 Ω and 4 Ω in series. Both branches are connected straight across the 12 V supply.

(a)(i) Combined resistance of 2 Ω and 4 Ω in **series**:

$$R = R_1 + R_2 = 2 + 4 = 6.0 \, \Omega$$

(a)(ii) Combined resistance of 3 Ω and 6 Ω in **parallel**:

$$1/R = 1/3 + 1/6 = 2/6 + 1/6 = 3/6 \rightarrow R = 2.0 \, \Omega$$

(b) Ammeter reading (current in the parallel-combination branch). This branch has resistance 2.0 Ω across the full 12 V:

$$I = V / R = 12 / 2.0 = 6.0 \, \text{A}$$

(c) p.d. across the 4 Ω resistor. The other branch (2 Ω + 4 Ω = 6 Ω) carries $I = 12/6 = 2.0 \, \text{A}$:

$$V_4 = I \times R = 2.0 \times 4 = 8.0 \, \text{V}$$

Question 2

M/J 2011 · Paper 22 · Q5

Low-voltage lighting circuit, 12 V supply, lamps A, B, C.

(a) Circuit completion (description): connect an **ammeter in series with the supply** (it then reads the total current). Lamp A is wired so it is permanently in the circuit (on all the time). Lamps B and C are joined **in series with each other**, with a **switch** in that B–C branch so they turn on/off together; that B–C branch is in **parallel** with lamp A across the 12 V supply.

(b)(i) Resistance of lamp B ($V = 8.0 \, \text{V}$, $I = 50 \, \text{mA} = 0.050 \, \text{A}$):

$$R = V / I = 8.0 / 0.050 = 160 \, \Omega$$

(b)(ii) B and C are in series, so the same current flows through both:

$$I_C = I_B = 50 \, \text{mA} = 0.050 \, \text{A} \, (50 \, \text{mA})$$

Question 3

M/J 2014 · Paper 22 · Q11

18 V supply; fixed resistor R in series with a $50\ \Omega$ potentiometer (rheostat/divider) feeding a filament lamp rated 12 V, 0.25 A.

(a) Ammeter (A) is placed in series in the main line carrying the lamp current; voltmeter (V) is connected in parallel across the filament lamp.

(b) Including R limits the current and lets a p.d. be dropped across it, so the voltage across the lamp can be varied down from 18 V to 0 (and R protects the lamp from excessive current near the top of the range). **R acts as a protective/limiting series resistor and shares the supply voltage.**

(c)(i) Graph for the filament lamp: a curve through the origin that **bends towards the voltage axis** as V rises (current rises less steeply at higher voltage), reaching 0.25 A at 12 V — resistance increases as the filament heats up.

(c)(ii) The fixed resistor gives a **straight line through the origin** (constant resistance, obeys Ohm's law at constant temperature), whereas the filament-lamp line **curves** (resistance increases with temperature).

Fixed resistor: linear; lamp: curved.

(d)(i) Current in the $50\ \Omega$ resistor. The lamp (12 V) is connected across the lower part of the divider, so the full $50\ \Omega$ element has 12 V across it:

$$I_{50} = V / R = 12 / 50 = 0.24\ \text{A}$$

(d)(ii) Current in R = current from the supply = current in $50\ \Omega$ element + lamp current:

$$I_R = 0.24 + 0.25 = 0.49\ \text{A}$$

(d)(iii) p.d. across R = supply – lamp voltage:

$$V_R = 18 - 12 = 6.0\ \text{V}$$

(d)(iv) Resistance of R :

$$R = V_R / I_R = 6.0 / 0.49 = 12\ \Omega\ (12.2\ \Omega)$$

Question 4

M/J 2015 · Paper 21 · Q6

6.0 V supply with a 60 Ω resistor and lamp L (rated 6.0 V, 0.90 W) connected in **parallel**, so each has the full 6.0 V across it.

(a)(i) Current in the 60 Ω resistor:

$$I = V / R = 6.0 / 60 = 0.10 \text{ A}$$

(a)(ii) Current in the power supply = resistor current + lamp current. Lamp current = $P / V = 0.90 / 6.0 = 0.15 \text{ A}$:

$$I_{\text{supply}} = 0.10 + 0.15 = 0.25 \text{ A}$$

(b)(i) New circuit: the second lamp is in **series with the 60 Ω resistor**, and this series combination is connected **in parallel with lamp L** across the supply. (Battery — then two parallel branches: branch 1 = lamp L; branch 2 = 60 Ω in series with the second lamp.)

(b)(ii) The second lamp is in series with the 60 Ω resistor, so the resistor drops part of the 6.0 V; the second lamp therefore gets **less voltage and a smaller current** than lamp L (which has the full 6.0 V), so it dissipates less power and is **dimmer**.

Question 5

M/J 2016 · Paper 21 · Q8

Battery with a 1000 Ω fixed resistor in series with a variable resistor R (single loop / series circuit).

(a)(i) In a series circuit the current is the same everywhere:

$$I_B = I_1 = I_2$$

(a)(ii) The supply p.d. is shared between the two series resistors:

$$V_B = V_1 + V_2$$

(b) Current in R, with $V_B = 9.0 \text{ V}$ and total resistance = $1000 + 500 = 1500 \Omega$:

$$I = V / R_{\text{total}} = 9.0 / 1500 = 6.0 \times 10^{-3} \text{ A (6.0 mA)}$$

Question 6

M/J 2017 · Paper 21 · Q5

A $20\ \Omega$ resistor in series with a parallel pair ($20\ \Omega$ and $40\ \Omega$).

(a) Total resistance. First the parallel pair:

$$1/R_p = 1/20 + 1/40 = 2/40 + 1/40 = 3/40 \rightarrow R_p = 40/3 = 13.3\ \Omega$$

$$R_{\text{total}} = 20 + 13.3 = 33\ \Omega\ (33.3\ \Omega)$$

(b) Comparing the voltmeter readings: the same current flows through the single $20\ \Omega$ resistor (V_1) and into the parallel section. The two parallel resistors have the **same p.d.** across them, so $V_2 = V_3$. Since the parallel combination ($13.3\ \Omega$) is smaller than $20\ \Omega$, it drops less voltage, so:

V_1 is the largest; $V_2 = V_3$ (both smaller and equal).

Question 7

M/J 2018 · Paper 22 · Q10

Battery with a $10\ \Omega$ resistor in series with a $40\ \Omega$ resistor (single loop). p.d. across the $40\ \Omega$ resistor = $9.6\ \text{V}$.

(a) Potential difference across a resistor is the **work done (energy transferred) per unit charge** as charge passes through the resistor (electrical energy converted to other forms per coulomb).

(b)(i) Current in the $40\ \Omega$ resistor:

$$I = V / R = 9.6 / 40 = 0.24\ \text{A}$$

(b)(ii) Series circuit, so $I = 0.24\ \text{A}$ everywhere. p.d. across $10\ \Omega = 0.24 \times 10 = 2.4\ \text{V}$. e.m.f. = sum of p.d.s:

$$\text{e.m.f.} = 9.6 + 2.4 = 12\ \text{V}$$

(c) Best voltmeter for measuring $9.6\ \text{V}$: the **0–20 V** meter. The 0–2 V range is too small ($9.6\ \text{V}$ is off-scale); the 0–200 V range would put the reading near the bottom of the scale, giving poor precision. $9.6\ \text{V}$ sits well across the 0–20 V scale. **Choose the 0–20 V voltmeter.**

(d)(i) Power produced in the $10\ \Omega$ resistor:

$$P = I^2 R = (0.24)^2 \times 10 = 0.58\ \text{W}\ (0.576\ \text{W})$$

(d)(ii) A resistor rated $\frac{1}{2}P$ (about $0.29\ \text{W}$) is **not suitable** because the actual power dissipated ($0.58\ \text{W}$) exceeds its rating, so it would **overheat / be damaged**. **Power dissipated > rating, so it overheats.**

(e) When resistor R is added in **parallel** with the $40\ \Omega$ resistor:

- Current in $10\ \Omega$ resistor — increases: the parallel pair ($40\ \Omega \parallel R$) has a smaller resistance than $40\ \Omega$ alone, so the total resistance of the circuit falls and the supply current rises.
- p.d. across $10\ \Omega$ resistor — increases: larger current through the unchanged $10\ \Omega$ gives a larger $V = IR$ across it.
- p.d. across $40\ \Omega$ resistor — decreases: the supply e.m.f. is fixed, so as the $10\ \Omega$ takes more voltage, less is left across the parallel section.

Question 8

O/N 2008 · Paper 2 · Q7

Motorcycle battery = six 2.0 V cells in series. Headlight has two identical filament lamps F and G in **parallel**; F always lit, G switched by D. With D open the battery supplies 4.6 A.

(a) Total e.m.f. of six 2.0 V cells in series:

$$\text{e.m.f.} = 6 \times 2.0 = 12 \text{ V}$$

(b) Completing the table (Fig. 7.2):

- Switch D open: only F is on. Battery current = current in F = 4.6 A; current in G = 0 A.
- Switch D closed: G (identical, in parallel) now carries the same current as F. Current in F = 4.6 A; current in G = 4.6 A; battery current = 4.6 + 4.6 = 9.2 A.

(c) Energy supplied when charge $Q = 200 \text{ C}$ moves through the circuit ($E = QV$, with $V = \text{e.m.f.} = 12 \text{ V}$):

$$E = Q \times V = 200 \times 12 = 2400 \text{ J}$$

Question 9

O/N 2012 · Paper 21 · Q8

A 600Ω resistor in series with a thermistor, an ammeter and a 20 V d.c. supply; a voltmeter is in parallel with the 600Ω resistor. Ammeter reads 0.025 A.

(a)(i) Voltmeter reading = p.d. across the 600Ω resistor:

$$V = I \times R = 0.025 \times 600 = 15 \text{ V}$$

(a)(ii) p.d. across the thermistor = $20 - 15 = 5.0 \text{ V}$ (series), so:

$$R_{\text{thermistor}} = V / I = 5.0 / 0.025 = 200 \Omega$$

(b)(i) As temperature rises, the resistance of the thermistor **decreases**.

(b)(ii) Lower total resistance $\rightarrow$ larger current, so the **ammeter reading increases**; the larger current through the fixed 600Ω gives a larger $V = IR$, so the **voltmeter reading increases**. Both readings **increase**.

Question 10

O/N 2014 · Paper 21 · Q11

A 2.0 V battery is made from two 2.0 V cells in parallel. The battery, an ammeter, a 2.0 Ω resistor and a parallel pair (3.0 Ω and X) form a series loop. The 3.0 Ω resistor and X have a combined (parallel) resistance of 2.0 Ω .

(a)(i) Electromotive force (e.m.f.) is the **energy converted from other forms to electrical energy per unit charge** driven round the circuit by the source (electrical work done per coulomb by the cell).

(a)(ii) Two cells in parallel can supply a **larger current** / last longer (lower internal resistance) than a single cell, while keeping the same 2.0 V. **Larger maximum current / longer life.**

(b)(i) Total resistance = 2.0 Ω (single) + 2.0 Ω (parallel combination):

$$R_{\text{total}} = 2.0 + 2.0 = 4.0 \Omega$$

(b)(ii) Resistance of X, from the parallel pair (3.0 $\Omega \parallel X = 2.0 \Omega$):

$$1/X = 1/2.0 - 1/3.0 = 3/6 - 2/6 = 1/6 \rightarrow X = 6.0 \Omega$$

(c)(i) Ammeter reading (current from the 2.0 V battery):

$$I = V / R_{\text{total}} = 2.0 / 4.0 = 0.50 \text{ A}$$

(c)(ii) The current is 0.50 A, so a suitable meter range is **0–1 A** (gives a near mid-scale reading).

(d) X is in parallel with the 3.0 Ω resistor, so the main current splits between them and recombines:

$$I_X = I_2 - I_3 \text{ (equivalently } I_2 = I_3 + I_X, \text{ where } I_2 \text{ is the current in the 2.0 } \Omega \text{ / main line)}$$

(e)(i) p.d. across the 2.0 Ω resistor ($I = 0.50 \text{ A}$):

$$V = I \times R = 0.50 \times 2.0 = 1.0 \text{ V}$$

(e)(ii) p.d. across the 3.0 Ω resistor = p.d. across the parallel combination = total – 2.0 Ω drop:

$$V = 2.0 - 1.0 = 1.0 \text{ V} \text{ (= } I \times R_{\text{parallel}} = 0.50 \times 2.0)$$

(f)(i) Reducing the supply from 12 V to 6.0 V dims the metal-filament lamp, so the filament is **cooler**; for a metal filament a lower temperature means a **lower resistance. Resistance decreases (filament cooler).**

(f)(ii) If resistance stayed constant the current would halve to 0.75 A; but the resistance actually falls, so the current does not drop as far. The new reading is therefore **greater than 0.75 A.**

Note from Megalecture. These are original Megalecture worked solutions prepared for revision use. Numerical answers were verified for series/parallel combinations, $V = IR$ and potential-divider relations. Where an answer depends on circuit interpretation (for example the potential-divider current in Question 3, taken here as the full-element current $12 \text{ V} / 50 \Omega = 0.24 \text{ A}$), an alternative reading may change the figure slightly — please verify against the official mark scheme before classroom use.