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IGCSE PHYSICS 0625 · TOPICAL PAST PAPERS

Thermal Properties of Matter — Paper 2

Worked Solutions (Theory / Structured) — Part 1 of 2

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Thermal Properties of Matter — Paper 2 · Worked Solutions (Part 1)

Megalecture worked solutions — model answers with working; please verify before classroom use. (Part 1 of 2.) These solutions were prepared from first principles by the Megalecture team for the topical Paper 2 (Theory / Structured) compilation on **Thermal Properties of Matter (IGCSE Physics 0625 / O Level 5054)**. Calculations use the data given in each question, with the standard relations $E = mc\Delta\theta$, $E = mL$, $E = VIt = Pt$ and density/expansion. Questions are numbered as they appear in the source compilation; the exam-paper reference is shown beside each.

Part 1 · Questions 1 – 27

Q1 5054/02/M/J/03/Q3

(a) Molecules with the most energy: arrangement **C (the gas)** — gas molecules move fastest and have the greatest kinetic (and total) energy.

(c) **Specific latent heat of fusion** is the energy needed to change **1 kg** of a substance from solid to liquid **at its melting point, with no change in temperature**.

Q2 5054/02/M/J/03/Q10

(c)(i) Increase in internal energy of the water, $E = mc\Delta\theta$.

$$E = 15 \times 4200 \times (56 - 20) = 15 \times 4200 \times 36 = \mathbf{2.27 \times 10^6 \text{ J}}$$
 (2 268 000 J)

(c)(ii) Electrical energy input = $P \times t$, with $t = 10 \text{ min} = 600 \text{ s}$.

$$E = 5000 \times 600 = \mathbf{3.0 \times 10^6 \text{ J}}$$

(c)(iii) Efficiency = useful energy out / energy in = $2.268 \times 10^6 / 3.0 \times 10^6$.

$$= 0.756 = \mathbf{75.6 \% \text{ (about 76 \%)}}$$

Q3 5054/02/M/J/04/Q3

(a) Why gaps are needed: on a hot day the metal rails / bridge sections **expand** and become longer. The gaps give the metal room to expand into. **Without the gaps the expanding sections would push against each other and the rails / bridge would buckle (bend) or crack.**

(b) One other problem (with how to overcome it): overhead power / telephone lines **contract and become tight (may snap) in cold weather** — the wires are hung with some slack (sag) in summer so they do not break when they contract in winter. (Other acceptable answers: a metal lid expands and jams / liquid in a sealed full container expands and bursts it.)

Q4 5054/02/M/J/04/Q10

(a) Determining density of the bar: (i) take the **mass** of the bar, and its **length, width and thickness (or breadth and depth)**; (ii) instruments: a **balance** for the mass and a **ruler / vernier callipers / micrometer** for the lengths; (iii) calculate volume = length $\times$ width $\times$ thickness, then **density = mass / volume**.

(b)(i) Between $t = 600$ s and 1000 s the graph is flat — the **temperature stays constant while the aluminium melts (changes from solid to liquid)**.

(b)(ii) Between $t = 0$ and 1000 s the molecules **vibrate / move faster and with greater energy**; during melting the energy goes into breaking the bonds and separating the molecules rather than raising their speed.

(b)(iii) Energy to warm the solid from 0 to 600 s. From the graph the temperature rises from about 0°C to about 600°C , so $\Delta\theta \approx 600^\circ\text{C}$. $E = mc\Delta\theta$.

$$E = 0.030 \times 880 \times 600 = \approx 1.6 \times 10^4 \text{ J (15 840 J)}$$

Q5 5054/02/M/J/06/Q9

(a) Effect of each change on the amount of water evaporated each day:

- change 1 (heater raises temperature) $\rightarrow$ **increases** — molecules have more energy, more escape;
- change 2 (sheet of plastic covering half the surface) $\rightarrow$ **decreases** — smaller exposed surface area;
- change 3 (fan blowing air over the top) $\rightarrow$ **increases** — removes the humid air / evaporated molecules above the surface;
- change 4 (outside painted white) $\rightarrow$ **decreases** — white reflects sunlight so the water absorbs less heat / stays cooler.

(b)(i) Volume of water that evaporates = area $\times$ depth = $3.0 \times 0.005 = 0.015 \text{ m}^3$.

(b)(ii) Mass = density $\times$ volume = $1000 \times 0.015 = 15 \text{ kg}$.

(b)(iii) Energy required = $mL = 15 \times 2.2 \times 10^6 = 3.3 \times 10^7 \text{ J (33 000 000 J)}$.

(b)(iv) Average rate = energy / time = $3.3 \times 10^7 / 40\,000 = 825 \text{ W } (\approx 830 \text{ J/s})$.

Q6 5054/02/M/J/07/Q2

(a)(i) At 80°C the water molecules have **more kinetic energy and move faster**, so **more molecules near the surface have enough energy to escape** from the liquid — so more evaporates.

(a)(ii) One other change that speeds evaporation: **increasing the surface area of the water** (or a draught / wind blowing across the surface, or lower humidity / drier air above it).

Q7 5054/02/M/J/08/Q4

(a) Two changes of state:

- the **nitrogen boils (liquid $\rightarrow$ gas) at -196°C** — the first flat part of the graph;
- the **oxygen boils (liquid $\rightarrow$ gas) at -183°C** — the second flat part of the graph.

(b) Formula: $E = mc\Delta\theta$, applied to each liquid ($\Delta\theta = -196 - (-205) = 9^\circ\text{C}$), using masses in grams.

$$\text{oxygen: } 200 \times 1.7 \times 9 = 3060 \text{ J} \quad \text{nitrogen: } 800 \times 2.0 \times 9 = 14\,400 \text{ J}$$

$$\text{Total energy} = 3060 + 14\,400 = 17\,460 \text{ J } (\approx 1.7 \times 10^4 \text{ J})$$

Q8 5054/21/M/J/10/Q9

(e)(i) Energy supplied = $P \times t$, with $t = 5.0 \text{ min} = 300 \text{ s}$.

$$E = 80 \times 300 = \mathbf{24\,000\,J} \quad (2.4 \times 10^4 \text{ J})$$

(e)(ii) Rise in temperature from $E = mc\Delta\theta \Rightarrow \Delta\theta = E / (mc)$.

$$\Delta\theta = 24\,000 / (1.8 \times 390) = 24\,000 / 702 = \mathbf{34\,^{\circ}C} \quad (34.2\,^{\circ}C)$$

Q9 5054/22/M/J/10/Q3

(a) Heat travels from the Sun to the Earth by **radiation (infrared / electromagnetic waves)**. Conduction and convection **need a material medium (particles)**, but space between the Sun and Earth is a vacuum, so only radiation can cross it.

(b) Through the metal roof heat passes by **conduction**: the heated surface molecules / free electrons gain energy, vibrate more and pass energy on to neighbouring particles; **free electrons in the metal carry the energy quickly** through to the cooler side.

(c) Mass from $E = mc\Delta\theta \Rightarrow m = E / (c\Delta\theta)$.

$$m = (1.2 \times 10^6) / (400 \times 20) = 1.2 \times 10^6 / 8000 = \mathbf{150\,kg}$$

Q10 5054/22/M/J/10/Q4

(a) Two atmospheric changes that make the puddles evaporate faster: **1. higher temperature (warmer / sunnier); 2. more wind / a draught (and/or lower humidity — drier air)**.

(b) During evaporation, the **faster (more energetic) molecules at the surface escape from the liquid into the air**; this happens at any temperature, and it leaves the slower, lower-energy molecules behind so the remaining water cools.

Q11 5054/21/M/J/11/Q4

(b)(i) Energy is needed to change ice into water because it is used to **break the bonds / pull apart the fixed lattice of molecules** so they can move past one another (the molecules gain potential energy, not speed).

(b)(ii) Less energy is needed to melt ice than to boil the same mass of water because, in boiling, the molecules must be **separated completely (fully pulled apart against attractive forces) to form a gas**, whereas in melting they only need to be loosened slightly from the solid lattice — so far more energy (a larger latent heat) is required for boiling.

Q12 5054/22/M/J/11/Q11

(a)(i) From the graph: change in temperature between $t = 0$ and $100 \text{ s} \approx \mathbf{\text{about } 35\,^{\circ}C}$ (e.g. $22 \rightarrow 57\,^{\circ}C$); between $t = 100 \text{ s}$ and $200 \text{ s} \approx \mathbf{\text{about } 22\,^{\circ}C}$ (e.g. $57 \rightarrow 79\,^{\circ}C$). The first interval has the larger rise.

(a)(ii) The values differ because, as the water gets hotter, **it loses more heat to the surroundings** (the beaker and air), so a smaller fraction of the heater's energy is left to raise the water's temperature — the rise per 100 s gets less.

(a)(iii) If heating continues the water reaches its **boiling point (100 °C)** and then the **temperature stays constant while the water boils (turns to steam)**, because the energy supplied is used as latent heat to change state.

(b)(i) Specific heat capacity, $c = E / (m\Delta\theta)$, $m = 72 \text{ g}$, $\Delta\theta = 23 \text{ °C}$.

$$c = 7400 / (72 \times 23) = 7400 / 1656 = \mathbf{4.5 \text{ J/(g °C)}} (\approx 4500 \text{ J/(kg °C)})$$

(b)(ii) Kinetic energy = $\frac{1}{2}mv^2$, $m = 0.072 \text{ kg}$, $v = 450 \text{ m/s}$.

$$KE = 0.5 \times 0.072 \times 450^2 = 0.5 \times 0.072 \times 202\,500 = \mathbf{7290 \text{ J}} (\approx 7.3 \times 10^3 \text{ J})$$

(b)(iii) **Water:** the molecules vibrate / move **faster (gain random kinetic energy)** — the internal energy and temperature rise. **Bullet:** all its molecules move together in the **same direction with the same extra speed** — ordered motion, the bullet gains kinetic energy of the whole body (not a temperature rise).

Q13 5054/21/M/J/12/Q4

(a) The **melting point** is the temperature at which a substance changes from solid to liquid (and stays constant while it melts).

(b)(i) Between $t = 0$ and 4 min the energy makes the **solid wax warmer — its temperature rises (molecules vibrate faster)**.

(b)(ii) Between $t = 4$ min and 8 min the temperature is constant: the **wax is melting**, and the energy supplied is used to **break the bonds and separate the molecules (latent heat) rather than raise the temperature**.

(c) It expands more between $t = 8$ and 9 min because then the wax is **liquid**, and a liquid expands much more than a solid for the same temperature rise (its molecules are freer to move further apart).

Q14 5054/22/M/J/12/Q4

(a) Melting point = the constant temperature on the flat part A–B = **80 °C**.

(b) Loss of thermal energy from $t = 0$ to 20 s. From the graph the liquid cools from 100 °C to about 85 °C, so $\Delta\theta \approx 15 \text{ °C}$; $E = mc\Delta\theta$.

$$E = 60 \times 1.7 \times 15 = \mathbf{\approx 1530 \text{ J}} (\text{about } 1.5 \times 10^3 \text{ J})$$

(c)(i) The temperature stays constant during A–B because the substance is **solidifying (freezing)**: as bonds form, the molecules **release latent heat**, which replaces the energy lost to the surroundings, so the temperature does not fall.

(c)(ii) On going from liquid to solid the molecules become **more closely packed, in a regular / fixed pattern (lattice)**, and can only **vibrate about fixed positions** instead of moving around.

Q15 5054/21/M/J/13/Q10

(a)(i) A **kilowatt-hour** is the energy used by a 1 kW appliance running for 1 hour — i.e. the energy transferred = power (in kW) $\times$ time (in hours). ($1 \text{ kWh} = 3.6 \times 10^6 \text{ J}$)

(a)(ii) Energy in one week = power $\times$ time = $0.080 \text{ kW} \times (7 \times 24) \text{ h} = 0.080 \times 168 = 13.44 \text{ kWh}$.

$$\text{Cost} = 13.44 \times 25 = \mathbf{336 \text{ cents } (\$3.36)}$$

(b)(i) Energy removed = $mc\Delta\theta$, $m = 1.5 \text{ kg} = 1500 \text{ g}$, $c = 4.2 \text{ J/(g °C)}$, $\Delta\theta = 25 \text{ °C}$.

$$E = 1500 \times 4.2 \times 25 = \mathbf{157\,500\,J} \, (\approx 1.6 \times 10^5 \text{ J})$$

Q16 5054/22/M/J/13/Q11

(a) Circuit: power supply, with the **ammeter in series** with the heater and the **voltmeter connected in parallel** across the heater.

(b)(i) Power = $VI = 12 \times 4.2 = \mathbf{50.4\,W}$.

(b)(ii) Energy in 8.0 min in kWh = power(kW) $\times$ time(h) = $0.0504 \times (8/60)$.

$$E = 0.0504 \times 0.1333 = \mathbf{6.72 \times 10^{-3} \text{ kWh}} \, (0.00672 \text{ kWh}; = 24\,192 \text{ J})$$

(c)(i) During evaporation the **most energetic molecules at the surface escape into the air**; this happens below the boiling point and only at the surface.

(c)(ii) A change that increases evaporation: **a draught / wind across the surface** — it carries away the escaped molecules so fewer return, increasing the net rate. (Or: larger surface area.)

(c)(iii) Two differences between evaporation and boiling:

- **Evaporation happens only at the surface; boiling happens throughout the liquid (bubbles form inside).**
- **Evaporation occurs at any temperature; boiling occurs only at the (fixed) boiling point.**

Q17 5054/21/M/J/14/Q2

(a) meter 1 (in series with the heater) measures the **current**; meter 2 (across the heater) measures the **voltage (p.d.)**.

(b) Specific heat capacity, $c = E / (m\Delta\theta)$, $m = 0.85 \text{ kg}$, $\Delta\theta = 40 - 18 = 22 \text{ }^\circ\text{C}$.

$$c = 17\,000 / (0.85 \times 22) = 17\,000 / 18.7 = \mathbf{910 \text{ J/(kg } ^\circ\text{C)}} \, (909 \text{ J/(kg } ^\circ\text{C)})$$

(c)(i) The hot air rises by **convection**: the air next to the block is heated, **expands and becomes less dense**, so it rises and is replaced by cooler, denser air (a convection current).

(c)(ii) To reduce heat loss: **wrap / lag the block in insulation (and use a lid)** to cut conduction and convection losses.

Q18 5054/22/M/J/14/Q3

(a)(i) Useful expansion example: a **liquid-in-glass thermometer (the liquid expands up the tube)**, or a bimetallic strip in a thermostat. (ii) Problem example: **railway lines / bridges / pipes buckling when they expand on a hot day**.

(b) When a solid is heated the molecules **gain energy and vibrate more strongly / with bigger amplitude**, so on average they push slightly further apart — the solid expands.

(c) 1. The expansion of a solid is **much smaller** than the expansion of a liquid. 2. The expansion of a gas is **much larger** than the expansion of a liquid.

Q19 5054/22/M/J/14/Q10

(c)(i) **Specific heat capacity** = the energy needed to raise the temperature of **1 kg** of a substance by **1 °C (1 K)**.

(c)(ii) Disadvantage of water's high SHC in cooking: **it takes a lot of energy / a long time to heat the water up (and to cool it down)**.

(c)(iii).1 Pan A: total energy lost = $9000 \text{ J/min} \times 8 \text{ min} = 72\,000 \text{ J}$. From the graph pan A cools $94 \rightarrow 60 \text{ °C}$, so $\Delta\theta = 34 \text{ °C}$. $m = E / (c\Delta\theta)$.

$$m = 72\,000 / (4200 \times 34) = 72\,000 / 142\,800 = \mathbf{0.50 \text{ kg}}$$

(c)(iii).2 Pan B has the same mass (0.50 kg). From the graph pan B cools $94 \rightarrow 40 \text{ °C}$, so $\Delta\theta = 54 \text{ °C}$. $E = mc\Delta\theta$.

$$E = 0.50 \times 4200 \times 54 = \mathbf{\approx 1.1 \times 10^5 \text{ J}} \text{ (113 400 J)}$$

Q20 5054/21/M/J/15/Q10

(b)(i) During evaporation the **more energetic molecules at the surface escape from the liquid** and become vapour (at any temperature).

(b)(ii) Evaporation cools the liquid because the **fastest molecules leave**, so the average energy (and therefore the temperature) of the molecules left behind **decreases**.

(c)(iii).1 Energy from heater = $P \times t = 200 \times 120 = \mathbf{24\,000 \text{ J}}$ ($2.4 \times 10^4 \text{ J}$).

(c)(iii).2 Energy to warm the water = $mc\Delta\theta$, $m = 100 \text{ g}$, $c = 4.2 \text{ J/(g °C)}$, $\Delta\theta = 20 \text{ °C}$.

$$E = 100 \times 4.2 \times 20 = \mathbf{8400 \text{ J}}$$

(The difference, $24\,000 - 8400 = 15\,600 \text{ J}$, is lost as latent heat of vaporisation and to the surroundings.)

Q21 5054/22/M/J/15/Q4

(a) Energy released, $E = mc\Delta\theta$, $m = 330 \text{ g}$, $c = 4.2 \text{ J/(g °C)}$, $\Delta\theta = 15 - 2 = 13 \text{ °C}$.

$$E = 330 \times 4.2 \times 13 = \mathbf{18\,018 \text{ J}} \text{ } (\approx 1.8 \times 10^4 \text{ J})$$

(b) Cooling is faster with water at 0 °C only than with melting ice because the **melting ice also absorbs latent heat as it melts** (extra energy taken from the liquid to change the ice from solid to liquid), so it removes more energy and cools the liquid more.

(c) The liquid in the metal can cools faster because **metal is a much better conductor of heat than plastic**, so heat passes out through the can walls more quickly.

Q22 5054/21/M/J/16/Q4

(a) For equal volumes heated through the same rise: **"expands the most" → air (gas); "expands the least" → copper (solid)**. (Water, a liquid, lies in between.)

Q23 5054/22/M/J/16/Q4

(a) Inside each bubble in the boiling water is **water vapour (steam)** — not air.

(c) Evaporation cools the water because the **most energetic (fastest) molecules escape from the surface**, leaving the slower, lower-energy molecules behind, so the average kinetic energy — and hence the temperature — of the remaining water falls.

Q24 5054/22/M/J/17/Q4

(a) Specific heat capacity, $c = E / (m\Delta\theta)$, $m = 850 \text{ g}$, $\Delta\theta = 38 - 16 = 22 \text{ }^\circ\text{C}$.

$$c = 17\,000 / (850 \times 22) = 17\,000 / 18\,700 = \mathbf{0.91 \text{ J/(g } ^\circ\text{C)}} (\approx 910 \text{ J/(kg } ^\circ\text{C)})$$

(b) Heat capacity of the block = $E / \Delta\theta = mc = 850 \times 0.91$.

$$= 17\,000 / 22 = \mathbf{770 \text{ J/}^\circ\text{C}} (\approx 773 \text{ J/}^\circ\text{C})$$

(c) In the metal, conduction occurs as **free (delocalised) electrons gain kinetic energy at the hot end, move through the metal and pass energy to cooler atoms**; the vibrating atoms also pass energy on to their neighbours.

Q25 5054/21/M/J/18/Q10

(a)(i) Two differences between boiling and evaporation:

- **Boiling happens throughout the liquid (bubbles of vapour form inside); evaporation happens only at the surface.**
- **Boiling occurs only at the fixed boiling point; evaporation occurs at any temperature below it.**

(a)(ii) Energy is needed to boil a liquid because it is used to **completely separate the molecules — pulling them apart against the forces of attraction** to form a gas (latent heat of vaporisation).

(b)(i) Mass leaving in 1.0 s. In 1.0 min, volume = $4.6 \times 10^{-3} \text{ m}^3$, so mass = $\rho V = 1000 \times 4.6 \times 10^{-3} = 4.6 \text{ kg}$ per minute. Per second = $4.6 / 60$.

$$m = \mathbf{0.0767 \text{ kg}} (\approx 7.7 \times 10^{-2} \text{ kg in 1.0 s})$$

(b)(ii) Thermal energy gained per 1.0 s = $mc\Delta\theta$, $m = 0.0767 \text{ kg}$, $c = 4200 \text{ J/(kg } ^\circ\text{C)}$, $\Delta\theta = 37 - 16 = 21 \text{ }^\circ\text{C}$.

$$E = 0.0767 \times 4200 \times 21 = \mathbf{\approx 6760 \text{ J}} (\text{about } 6.8 \times 10^3 \text{ J per second})$$

(b)(iii).1 The other quantity needed: the **electrical power input to the heater (or the electrical energy supplied in the same time)**.

(b)(iii).2 Efficiency = **(useful thermal energy given to the water) ÷ (electrical energy supplied to the heater)**, $\times 100 \%$ — both taken over the same time (here 1.0 s).

(b)(iv) The metal pipe is earthed so that, if a fault makes the live wire touch the metal, **a large current flows safely to earth and blows the fuse / trips the breaker**, cutting off the supply — this stops the metal becoming live and giving the user an electric shock.

Q26 5054/21/M/J/19/Q2

(a) Renewable sources used to produce electricity: **solar, tides, wave, wind** (coal and oil are not renewable).

(b)(i) The hot underground water turns to **steam**; the steam (at high pressure) is forced past / pushes against the **turbine blades, making the turbine spin** (which drives the generator).

(b)(ii) Energy to heat the cooling-tower water = $mc\Delta\theta$, $m = 90 \text{ kg}$, $c = 4200 \text{ J/(kg } ^\circ\text{C)}$, $\Delta\theta = 160 - 30 = 130 \text{ }^\circ\text{C}$.

$$E = 90 \times 4200 \times 130 = \mathbf{4.9 \times 10^7 \text{ J}}$$
 (49 140 000 J)

Q27 5054/22/M/J/19/Q10

(a) Suitable melting points (must each be above the 380 °C working temperature for the tip, but the solder must melt at the tip):

- **metal of the metal tip** → **1000 °C** (so the tip does not melt at 380 °C);
- **solder** → **200 °C** (so it melts when touched to the 380 °C tip).

(b)(i) Electrical energy = $VIt = 24 \times 3.3 \times 10$.

$$E = \mathbf{792 \text{ J}}$$
 ($\approx 7.9 \times 10^2 \text{ J}$)

(b)(ii) Thermal energy gained by the tip = $mc\Delta\theta$, $m = 2.3 \text{ g}$, $c = 0.39 \text{ J/(g °C)}$, $\Delta\theta = 320 - 20 = 300 \text{ °C}$.

$$E = 2.3 \times 0.39 \times 300 = \mathbf{269 \text{ J}}$$
 ($\approx 2.7 \times 10^2 \text{ J}$)

Note from Megalecture. These are original Megalecture worked solutions prepared for revision use; graph readings (Q4, Q12, Q14, Q19) are taken to the nearest sensible value, so accept small variations. Calculation answers were checked numerically. **Part 2 of 2** continues with the remaining questions of this compilation.