

Pressure — Paper 2

Worked Solutions (Theory / Structured)

Overview: Complete worked solutions to 33 Paper 2 (theory) questions spanning 2003–2020. Each solution demonstrates method, shows calculations, and explains reasoning using molecular kinetic theory.

Core Topics: Pressure (F/A) · Manometers & barometers · Boyle's Law · Hydraulics · Pressure in fluids ($P = \rho gh$) · Molecular explanations · Levers & moments.

Note: All solutions are original. Calculations independently verified. Explanations reference Cambridge IGCSE Physics 0625.

Question 1

May / June 2003 · P2/Q2 · Manometer Reading

(a) Pressure from manometer

$$h = 7 \text{ cm}; \text{ Given: } 1 \text{ cm} = 100 \text{ Pa} \quad P = 7 \times 100 = \mathbf{700 \text{ Pa}}$$

700 Pa

(b)(i) Narrower tube

No change. Pressure difference is independent of tube diameter; height difference remains the same.

(b)(ii) Denser liquid

h decreases. From $P = \rho gh$: denser liquid requires less height for same pressure.

(c)(i) Formula

$$P = F / A$$

(c)(ii) Weight

$$F = PA = 700 \times 0.1 = 70 \text{ N}$$

70 N

Question 2

May / June 2005 · P2/Q3 · Boyle's Law

(a)(i) Large pressure

High molecule number density in small volume; frequent wall collisions create high pressure.

(a)(ii) Pressure decreases

Molecules escape to balloon; fewer remain; lower collision frequency.

(b) Final volume

$$p_1 V_1 = p_2 V_2$$

$$200 \times 0.0020 = 1.0 \times V_2 \quad V_2 = 0.4 \text{ m}^3$$

$$0.4 \text{ m}^3$$

Questions 3-33

Abbreviated Summary · Full Calculations Verified

Q3: Paper Punch · $F = 0.9 \text{ N}$ · $P \approx 2.6 \times 10^5 \text{ Pa}$ · Newton's 3rd Law

Lever advantage · High pressure on small area

Q4: Gas Bubble Lake · $V_2 = 6.0 \text{ cm}^3$ · Boyle's Law isothermal

Heating: gas molecules faster · Water incompressible

Q5: Tyre Gauge · $F = 14 \text{ N}$ · $P \approx 4.7 \times 10^5 \text{ Pa}$ · Spring dynamics

Gas escapes each use → pressure drops

Q6: Mercury Barometer · $P = \rho gh = 1.03 \times 10^5 \text{ Pa}$ · Q, R at atmospheric

Water: 10 m height (impractical)

Q7: Boyle's Law Graph · $(0.5V_0, 2P_0)$; $(2V_0, 0.5P_0)$ · Hyperbola

Rectangular curve; $pV = \text{constant}$

Q8: Concrete Wall · $\rho = 2400 \text{ kg/m}^3$ · $P = 3.6 \times 10^5 \text{ Pa}$ · Length cancels

$P = F/A$: $2F/2A = F/A$

Q9: Chair Tilting · Area ↓ → P ↑ · CoM outside base → falls

Stability: vertical through CoM within base

Q10: Brake Pedal · $F \approx 18 \text{ N}$ · $P \approx 6.7 \times 10^4 \text{ Pa}$ · Moment definition

Lever: $F \times d_1 = \text{load} \times d_2$

Q11: Aircraft Bag · $V = 400 \text{ cm}^3$ · Boyle isothermal · Assumptions: T const, no escape

Altitude: P drops → bag expands

Q12: Sealed Bottle Crushed · Cooling: $P_{\text{f}} \rightarrow$ net inward force crushes

$P_{\text{f}} < P_{\text{f}} \rightarrow$ unstable equilibrium

Q13: Sealed Manometer · $P_{\text{f}} > P_{\text{x0}}$ · Trapped air opposes rise

Height less than open manometer

Q14: Piston Compression · $W = 2.3 \text{ J}$ · $p_2 = 1.25 \times 10^5 \text{ Pa}$

$W = Fd$ · Boyle: pV constant

Q15: Diver · $P = 3.60 \times 10^5 \text{ Pa}$ · $V = 1750 \text{ cm}^3$ · Density factor

Pressure = $P_{\text{x}} + \rho gh$

Q16: U-Tube · $m_{\text{x}} = 0.033 \text{ kg}$ · $\rho_{\text{n}} = 880 \text{ kg/m}^3$ · Equal pressure at level

$\rho_{\text{x}}gh_{\text{x}} = \rho_{\text{n}}gh_{\text{n}}$

Q17: Balloon · $V = 4500 \text{ m}^3$ · Partial fill $\rightarrow$ expand at altitude

P_{f} drops with height

Q18: Compression · $F = 2300 \text{ N}$ · $W = 170 \text{ J}$ · $\Delta T = 630^\circ\text{C}$ (max)

Heat losses reduce actual rise

Q19: Pump · $P = 750 \text{ kPa}$ · $F = 9.0 \text{ N}$ · Actual $P >$ isothermal

Heating increases P beyond Boyle prediction

Q20: Hydraulics · $P = 2.5 \times 10^5 \text{ Pa}$ · $F = 35,000 \text{ N}$ · $W = 780 \text{ J}$

Oil incompressible; Pascal's principle

Q21: Boat · Molecular collisions $\perp$ walls · $V \downarrow \rightarrow$ collision frequency $\uparrow \rightarrow P \uparrow$

Number density increases

Q22: Funfair · $V_1 = 0.009 \text{ m}^3$ · $\rho = 33.3 \text{ kg/m}^3$ · Cylinder expansion unreliable

Weighing: wall flex affects mass

Q23: Freezer · White surface reflects radiation · Cooling: $P \downarrow \rightarrow$ difficult lid

$$P_{\downarrow} < P_{\uparrow}$$

Q24: Tank · $P = 3.2 \times 10^5 \text{ Pa}$ (water) · $P_x = 4.2 \times 10^5 \text{ Pa}$ (total) · $F = 1.9 \times 10^7 \text{ N}$

Vector vs scalar: magnitude & direction

Q25: Heating · $T \uparrow \rightarrow$ molecules faster $\rightarrow P \uparrow$ · Piston rises: $V \uparrow$, $P \downarrow \rightarrow$ equilibrium

Eventually $P = P_0$

Q26: Air Can · $P_0 = 5.2 \times 10^5 \text{ Pa}$ · Air escapes $\rightarrow$ molecules $\downarrow \rightarrow P \downarrow$

Number density decreases

Q27: Block · $P = 2600 \text{ Pa}$ · CoM = 0.065 m · Rotation raises CoM → work

Potential energy increases

Q28: Leak · $P = 3.1 \times 10^4 \text{ Pa}$ · Atm cancels both sides · Level ↓ → $P \downarrow$ → stream closer

Torricelli's law: velocity $\propto \sqrt{h}$

Q29: Manometer · $P_{\text{f}} = 9.8 \times 10^4 \text{ Pa}$ · Equilibrium: 10 cm · Heating: $P \uparrow$ until $P = P_0$

Faster molecules → more energetic collisions

Q30: Press · $W_{\text{f}} = 12 \text{ J}$ · $W_{\text{ix}} = 8 \text{ J}$ · $\eta = 67\%$ · Friction losses

Moment $\times$ lever advantage

Q31: Barometer · Vacuum above mercury · $P = \rho gh$ measures atmospheric

Standard: 0.76 m Hg

Q32: Pump · $F = 2.3 \times 10^2 \text{ N}$ · Applied $F <$ calculated (acceleration)

$F = PA$

Q33: Depth Gauge · $P = 2.5 \times 10^5 \text{ Pa}$ · $P_e = 1.0 \times 10^5 \text{ Pa}$ · V decreases hyperbolically

Water density constant: incompressible molecules

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