

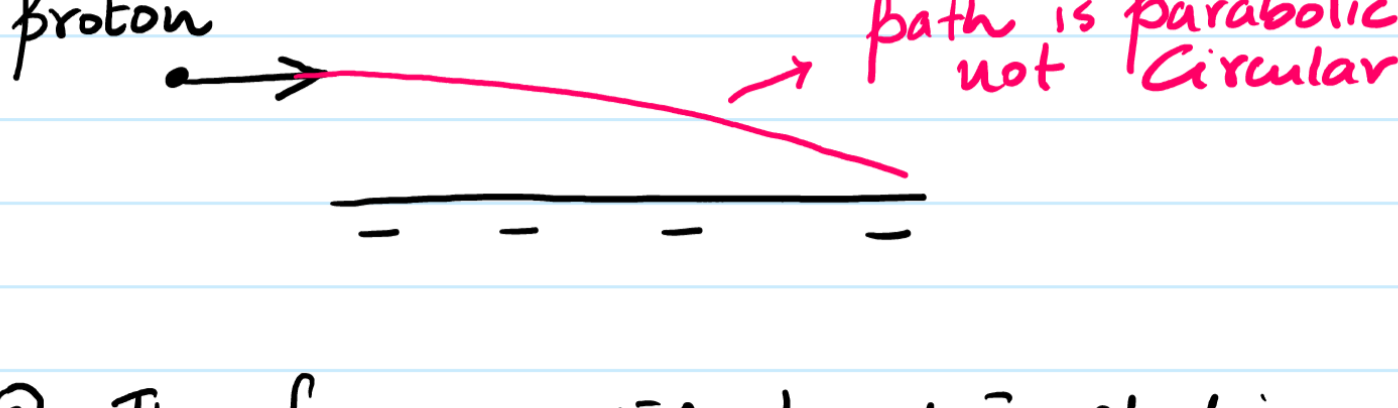
Electric field Continued

12 January 2021 19:06

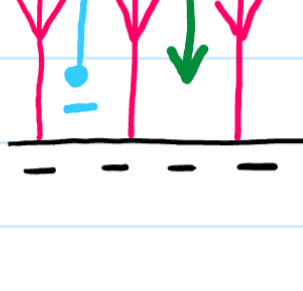
Properties of Electric field

① E.F is capable of applying force on a stationary charge as well as on a moving charge

② A moving charge in an electric field always performs a parabolic path rather than a circular path.



③ The force exerted by the electric field is always parallel to the field lines



"Conversion of Energy from one form to another in an Electric field"

Mechanics

ⓐ P.E → K.E or Vice Versa

Electricity

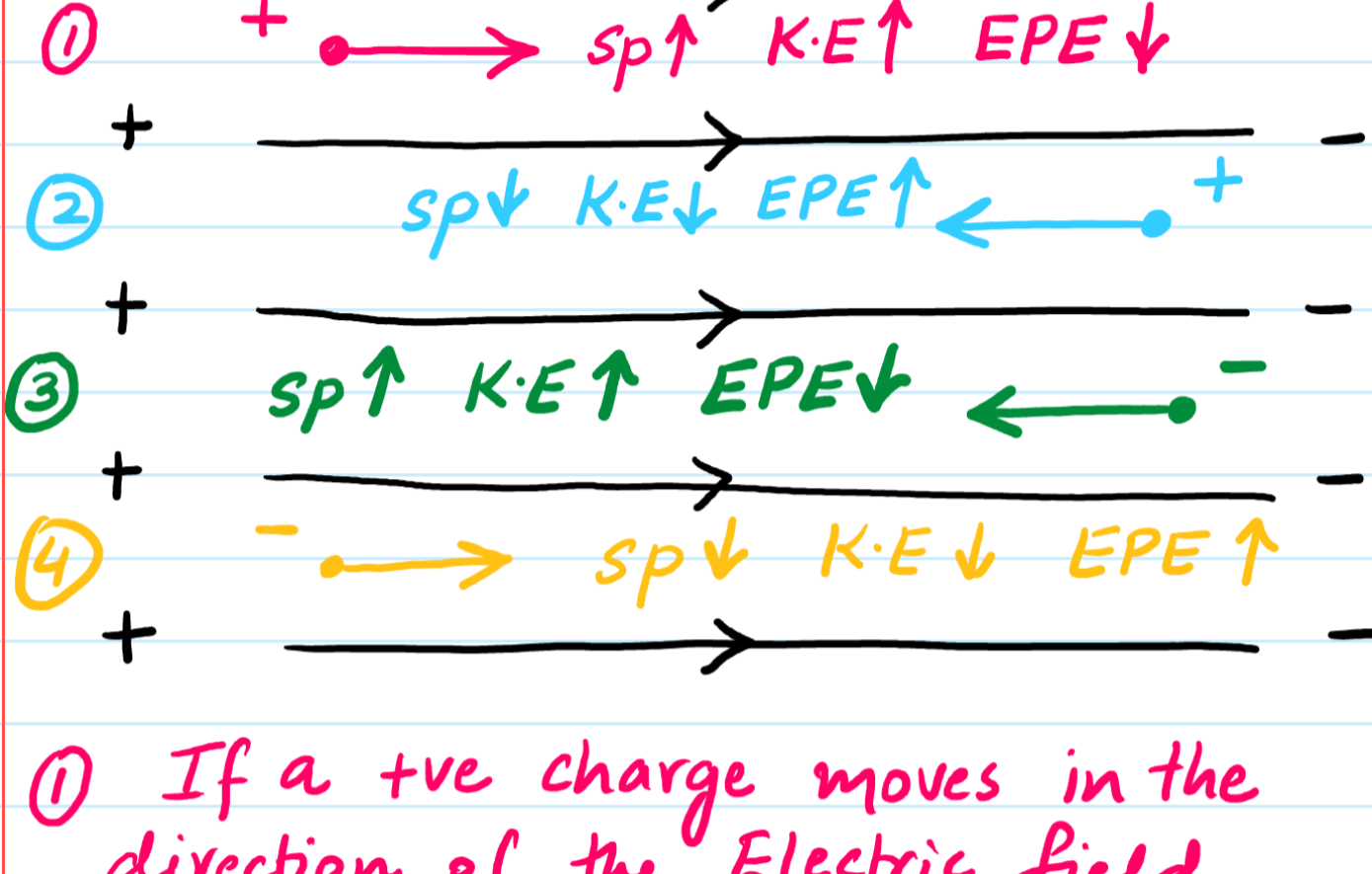
ⓐ E.P.E → K.E or Vice Versa

(Electric Potential Energy)

How to calculate E.P. Energy = qV

q = charge

V = Voltage



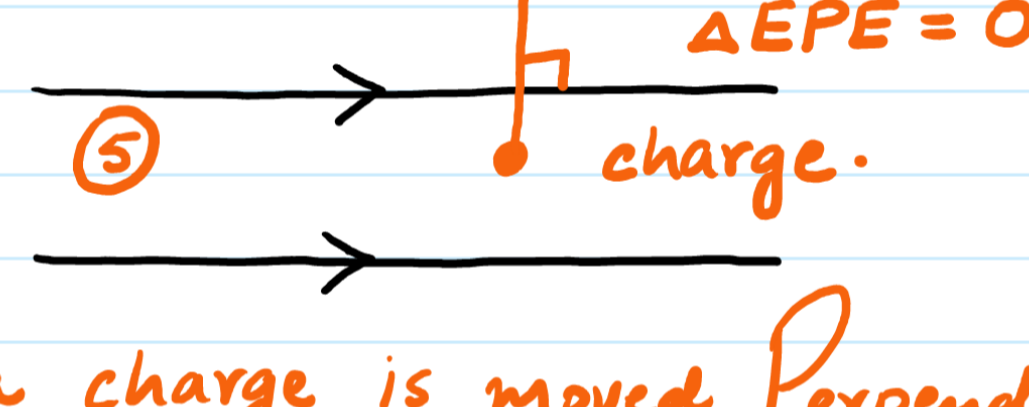
① If a +ve charge moves in the direction of the Electric field, its $K.E \uparrow$, $EPE \downarrow$

② If a +ve charge moves against the direction of the Electric field, its $K.E \downarrow$, $EPE \uparrow$

③ If a -ve charge moves against the field $K.E \uparrow$ $EPE \downarrow$

④ If a -ve charge moves in the direction of the field $K.E \downarrow$ $EPE \uparrow$

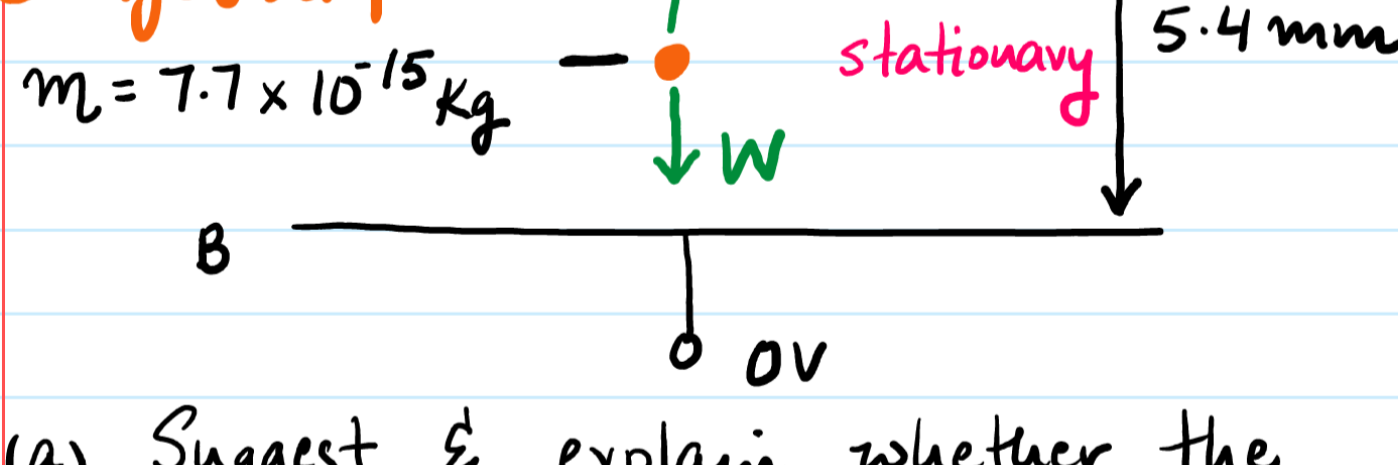
Mechanics



⑤ If a charge is moved Perpendicular to the field lines then $\Delta EPE / W.doye = 0$.

"Quantization" of charge.

Example The diagram below shows a charged particle positioned b/w two metal plates A and B.



(a) Suggest & explain whether the charged droplet is +vely charged OR -vely charged if we want it to maintain its stationary position

Ans $W \downarrow$ = downywards, so to remain stationary, Electrical force must act upwards hence for this to happen, the charged droplet must be **negatively charged.**

(b) Hence calculate the magnitude of the charge of this droplet?

$$W = F_E$$

$$mg = E \cdot q$$

$$mg = \frac{V}{d} \cdot q$$

$$q = \frac{m \cdot g \cdot d}{V}$$

$m = 7.7 \times 10^{-15} \text{ Kg}$
 $V = 850 \text{ V}$
 $d = 5.4 \text{ mm}$

$$q = \frac{(7.7 \times 10^{-15})(9.81)(5.4)}{850}$$

charge of an electron = $1.6 \times 10^{-19} \text{ C}$

My suggestion is that the value of q has to be any "ONE" of the following answers

- $1.6 \times 10^{-19} \text{ C}$
- $3.2 \times 10^{-19} \text{ C}$
- $4.8 \times 10^{-19} \text{ C}$**
- $6.4 \times 10^{-19} \text{ C}$
- $8.0 \times 10^{-19} \text{ C}$
- $9.6 \times 10^{-19} \text{ C}$

$$q = 4.8 \times 10^{-19} \text{ C}$$

This idea that charges exist as integer multiples of the elementary charge is known as Quantization

Q: What is the meaning of the term "CHARGES ARE QUANTIZED"

Ans: The term Quantization means that charges exist as integer (whole #) multiples of the elementary charge where the term elementary charge refers to the charge of an electron i.e. $1.6 \times 10^{-19} \text{ C}$