

Oscillations & Waves

Waves

Marline Kurishingal

Syllabus content

Section		AS	A2
IV Oscillations and waves	14. Oscillations		✓
	15. Waves	✓	
	16. Superposition	✓	

Section III: Matter

Recommended prior knowledge

Candidates should be able to describe matter in terms of particles, with a qualitative understanding of their behaviour.

15. Waves

Content

Learning outcomes

15.1 Progressive waves

Candidates should be able to:

15.2 Transverse and longitudinal waves

(a) describe what is meant by wave motion as illustrated by vibration in ropes, springs and ripple tanks

15.3 Polarisation

(b) show an understanding of and use the terms displacement, amplitude, phase difference, period, frequency, wavelength and speed

15.4 Determination of speed, frequency and wavelength

(c) deduce, from the definitions of speed, frequency and wavelength, the equation $v = f\lambda$

15.5 Electromagnetic spectrum

(d) recall and use the equation $v = f\lambda$

(e) show an understanding that energy is transferred by a progressive wave

(f) recall and use the relationship $intensity \propto (amplitude)^2$

(g) compare transverse and longitudinal waves

(h) analyse and interpret graphical representations of transverse and longitudinal waves

(i) show an understanding that polarisation is a phenomenon associated with transverse waves

(j) determine the frequency of sound using a calibrated c.r.o.

(k) determine the wavelength of sound using stationary waves

(l) state that all electromagnetic waves travel with the same speed in free space and recall the orders of magnitude of the wavelengths of the principal radiations from radio waves to γ -rays.

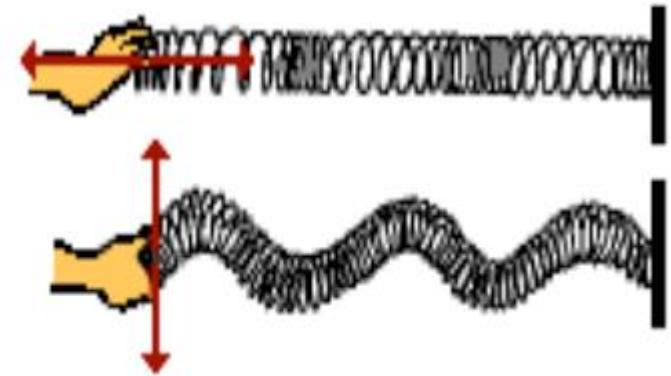
Introducing Waves

- Waves carry energy.
- For Example, during an earthquake, the seismic waves produced can cause great damage to buildings and the surroundings.
- What is a wave?
- **Wave is a method of propagation of energy.**

For example, when we drop a pebble into a pond of still water, a few circular ripples move outwards, on the surface of the water. As these circular ripples spread out, energy is being carried with them.

Sources of Waves

- The source of any wave is a ***vibration*** or ***oscillation***.
- For example, the forming of the slinky waves as shown.
- Wave motion provides a mechanism for the **transfer of energy** from one point to another ***without*** the physical transfer of the medium between the two points.



Slinky waves can be made by vibrating the first coil back and forth in either a horizontal or a vertical direction.

Two Types of Waves

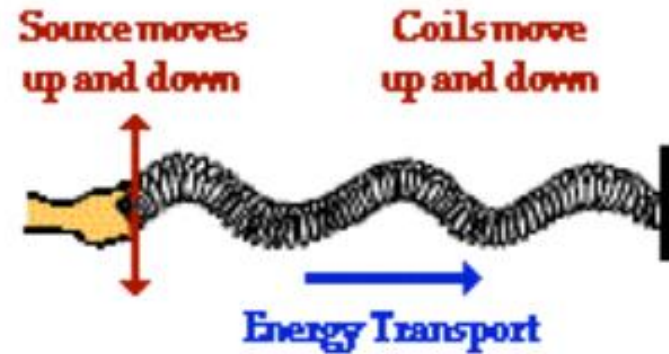
- **Transverse Wave**

Rope waves, Water waves, Light waves, Radio waves, Electromagnetic waves.

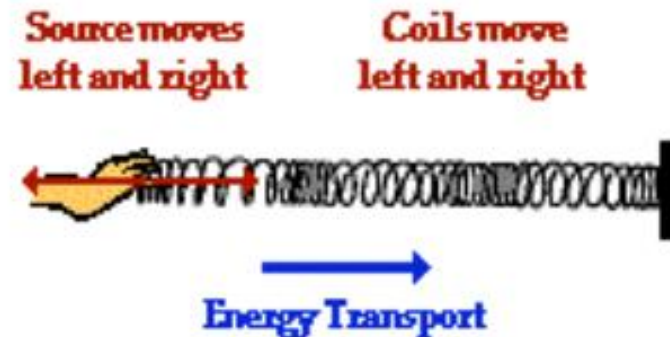
- **Longitudinal Wave**

Sound waves and waves produced in a vertical oscillating spring under tension.

Transverse Wave



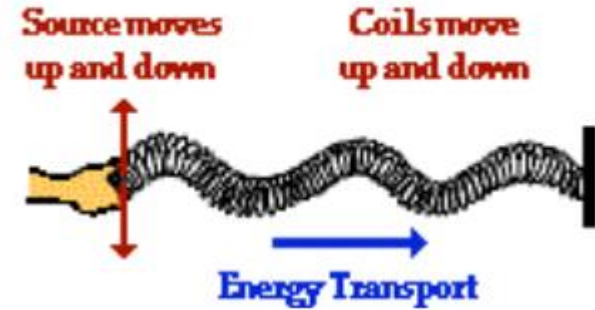
Longitudinal wave



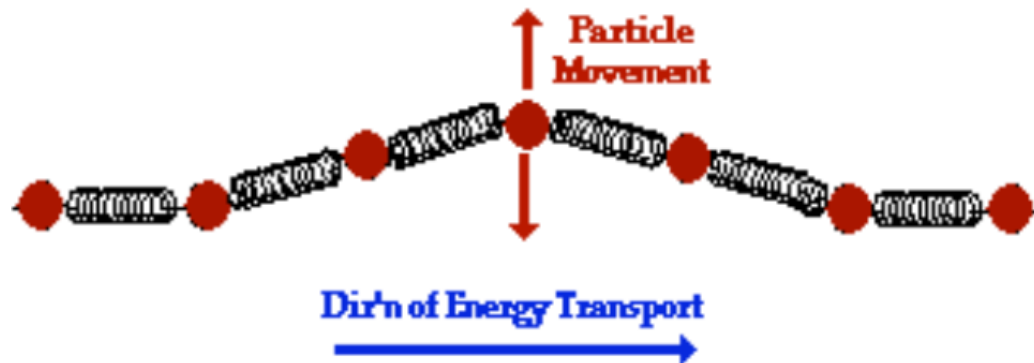
Transverse Waves

- *Transverse waves* propagate in a direction **perpendicular** to the direction of vibration.

Transverse Wave



Transverse Wave



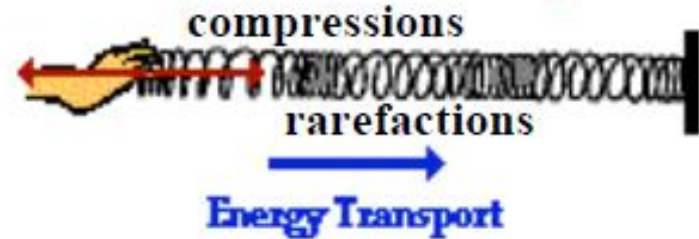
Longitudinal Waves

- *Longitudinal waves* propagate in a direction **parallel** to the direction of vibration.

Longitudinal wave

Source moves
left and right

Coils move
left and right



Longitudinal Wave

Particle Movement



Dir'n of Energy Transport



Reference link for Demonstration of waves

<http://www.acs.psu.edu/drussell/demos/waves/wavemotion.html>

Describing Waves

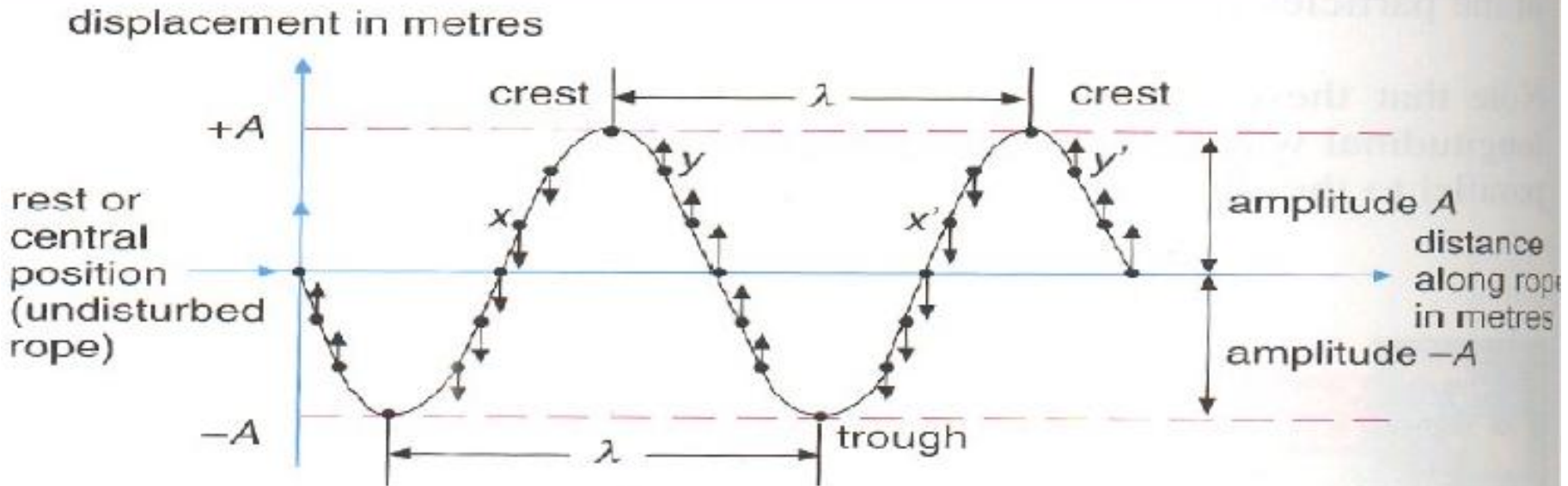


- **Crests and troughs**

- High points and low points that characterise transverse waves only. For longitudinal waves, compressions and rarefactions are used.

- **Amplitude, A, SI Unit: metre (m)**

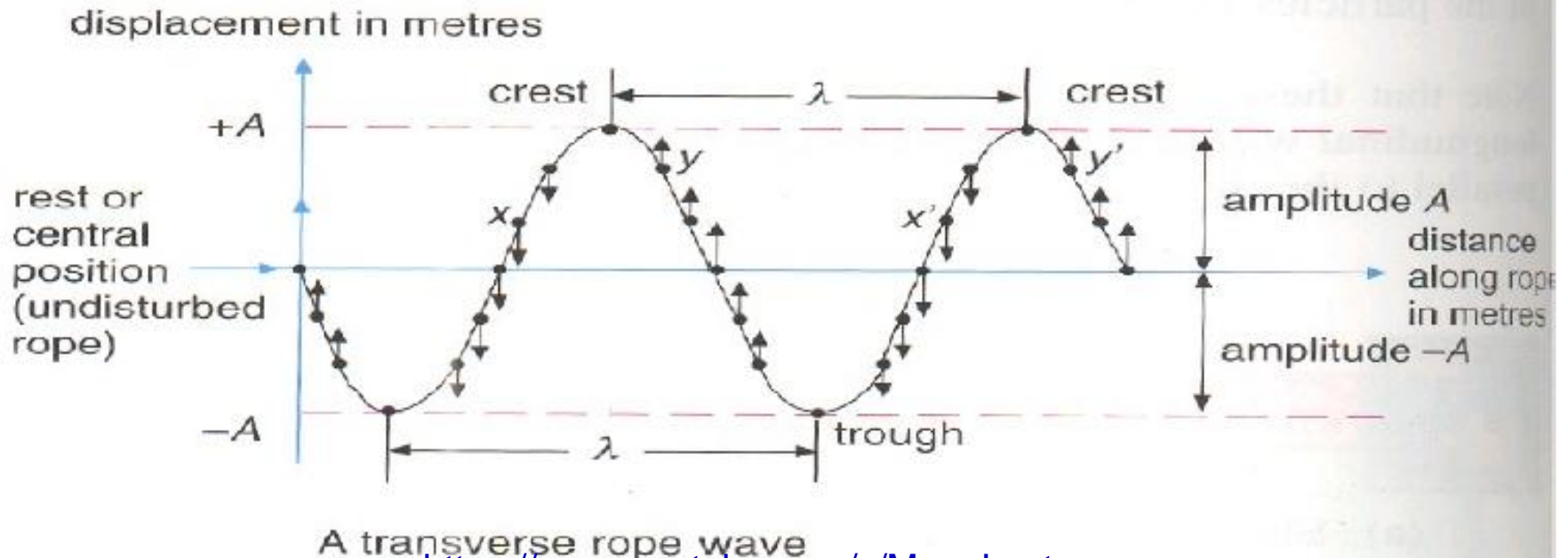
- The value of the maximum displacement from the rest of central position in either direction.



Describing Waves

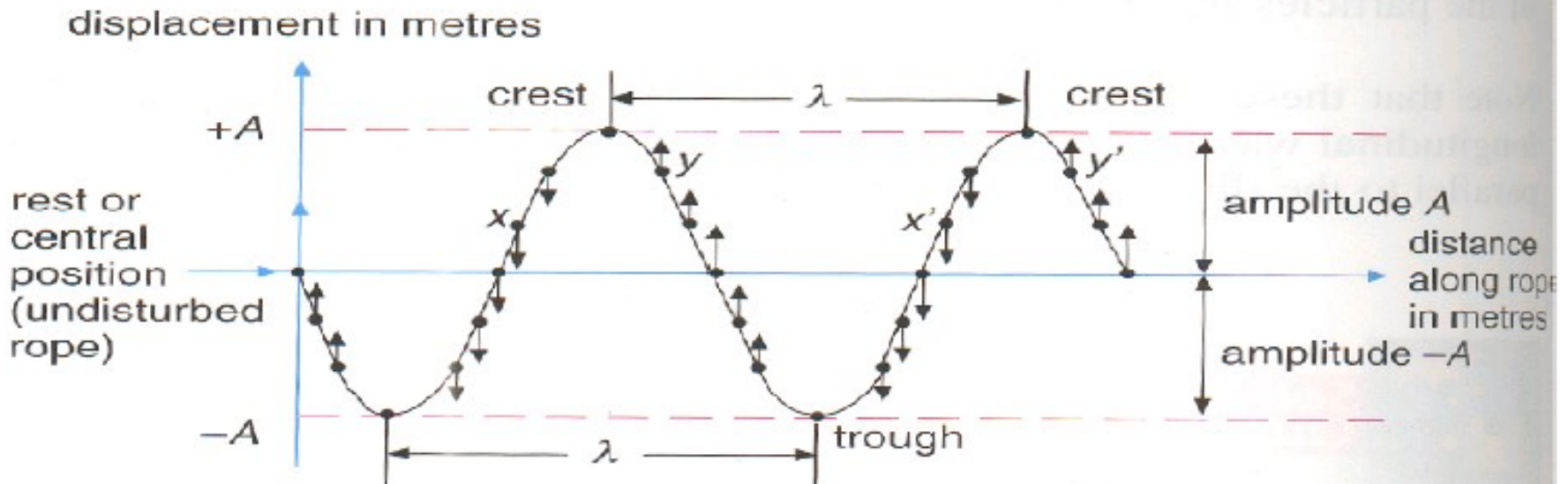
- **Wavelength, λ , SI Unit : metre (m)**

- The shortest distance between any two points on a wave that are in phase. The two easiest points to choose for a distance of one wavelength are two successive crests or troughs.



Describing Waves

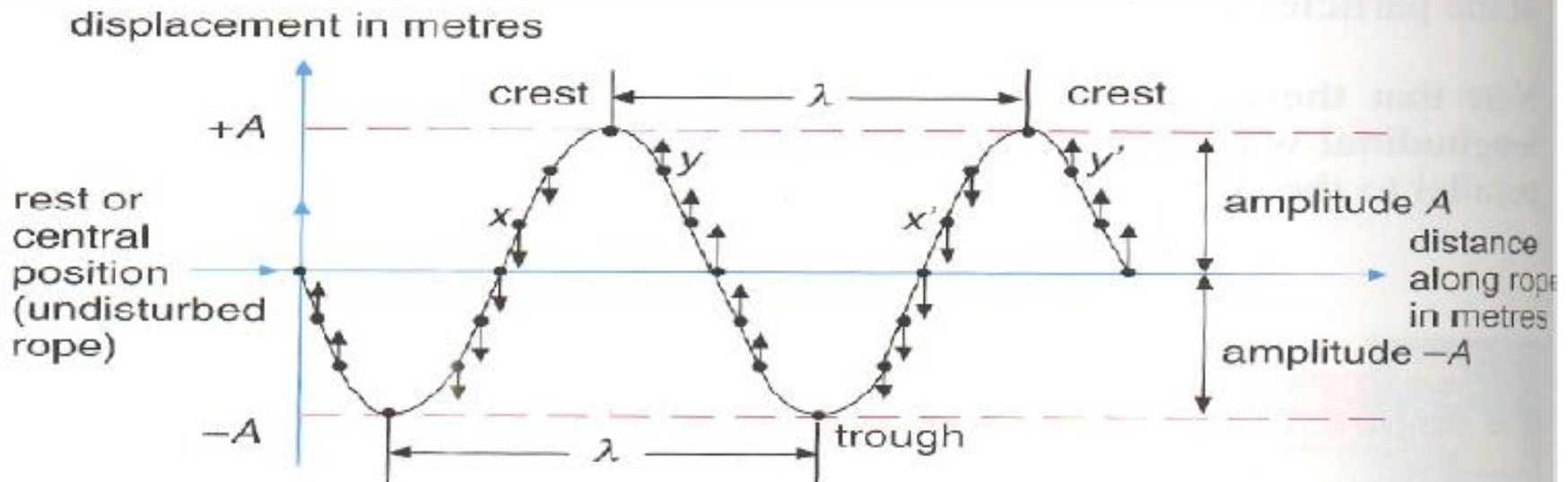
- **Frequency, f , SI Unit: hertz (Hz)**
 - The number of complete waves produced per second. The figure shows two complete waves and if they are produced in one second, then the frequency of this wave is two waves per second or 2 hertz.
- **Period, T , SI Unit: second (s)**
 - The time taken to produce one complete wave. $T = 1/f$



A transverse rope wave

Describing Waves

- **Wave Speed, v , SI Unit : metre per s (m/s)**
 - The distance travelled by a wave in one second.
- **Wave Front**
 - An imaginary line on a wave that join all points which are in phase of vibration.

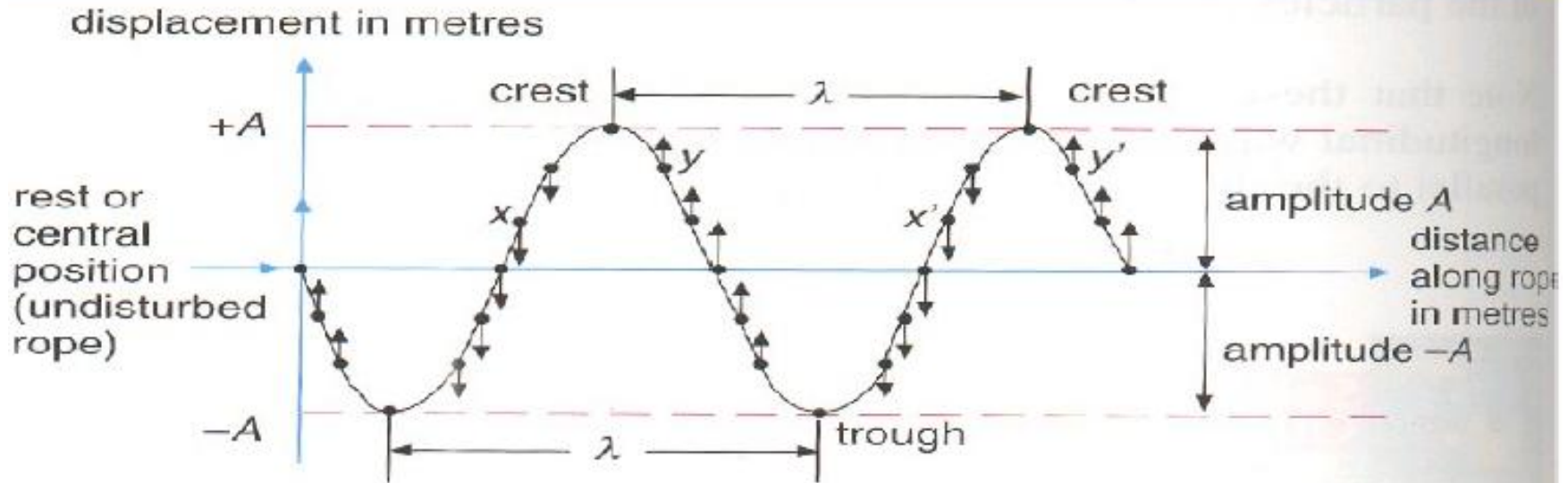


A transverse rope wave

Describing Waves

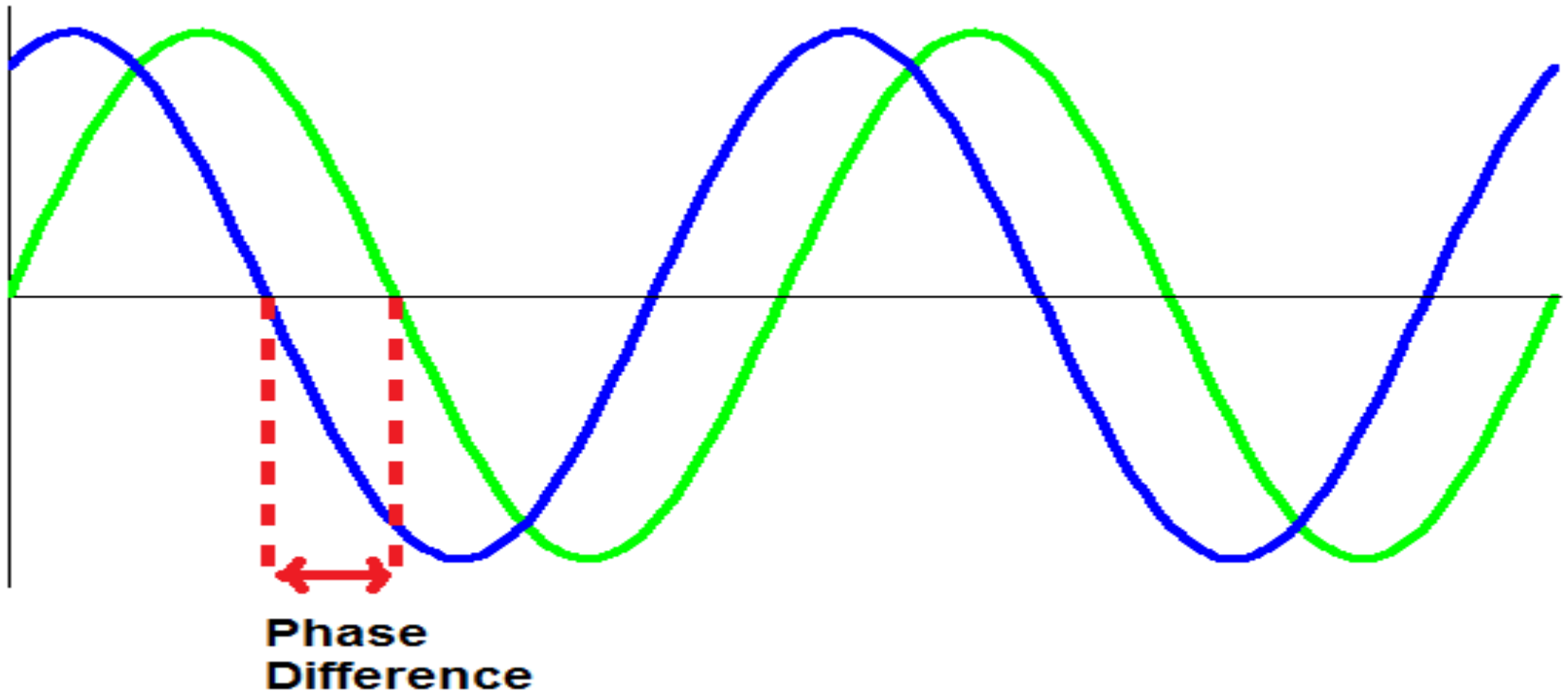
• Phase

- Two points (such as x & x' , and y & y') are said to be in phase because that are moving in the same direction with the same speed and having the same displacement from the rest position. Any two crests or trough are in phases.



A transverse rope wave

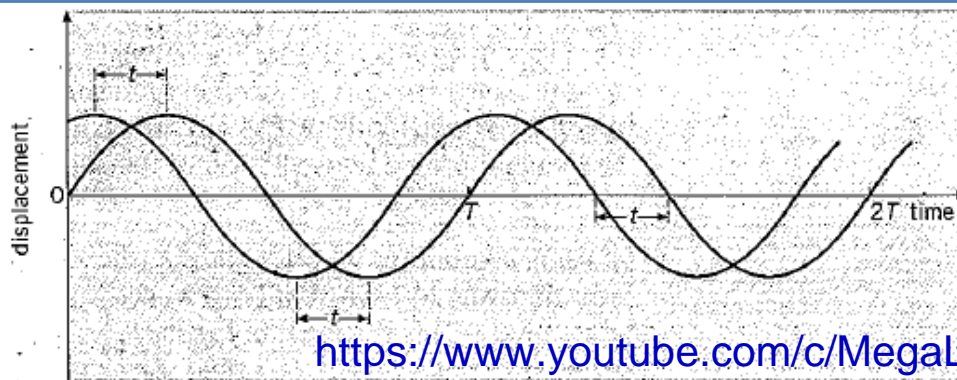
Describing Waves – Phase difference



Describing Waves – Phase difference

A term used to describe the relative positions of the crests or troughs of two waves of the same frequency is **phase**. When the crests and troughs of the two waves are aligned, the waves are said to be **in phase**. When a crest is aligned with a trough, the waves are **out of phase**. When used as a quantitative measure, phase has the unit of angle (radians or degrees). Thus, when waves are out of phase, one wave is half a cycle behind the other. Since one cycle is equivalent to 2π radians or 360° , the **phase difference** between waves that are exactly out of phase is π radians or 180° .

Consider Figure 1 in which there are two waves of the same frequency, but with a phase difference between them. The period T corresponds to a phase angle of 2π rad or 360° . The two waves are out of step by a time t . Thus, phase difference is equal to $2\pi(t/T)$ rad = $360(t/T)^\circ$. A similar argument may be used for waves of wavelength λ which are out of step by a distance x . In this case the phase difference is $2\pi(x/\lambda)$ rad = $360(x/\lambda)^\circ$.



$$\Phi = 2\pi \frac{x}{\lambda} \quad \text{OR} \quad \Phi = 360^\circ \frac{x}{\lambda}$$

Where ϕ is phase difference, x is distance, λ is the wavelength.

The wave equation and principle

- Speed = distance/time
- Wavelength is the distance moved by the wave in one cycle i.e distance
- Time = period = 1/frequency
- So speed = wavelength/period

Speed = wavelength x frequency, i.e $v = \lambda f$

The Wave Equation

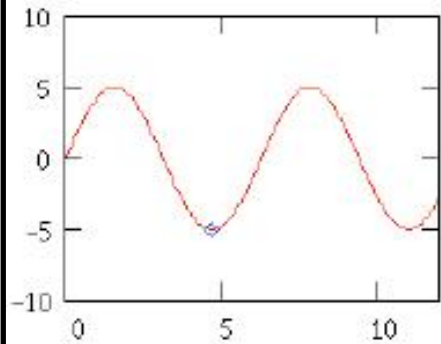
The relationship of v , λ & f

$$v = f\lambda$$

The relationship of v , λ & T

Since $T = 1/f$

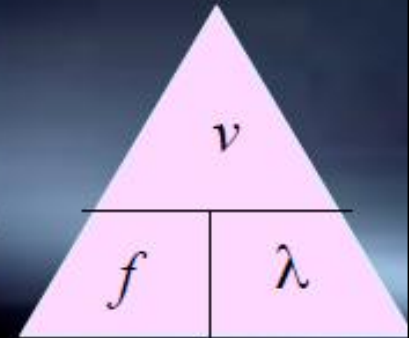
$$v = \frac{\lambda}{T}$$



$$v = f\lambda$$

$$f = v/\lambda$$

$$\lambda = v/f$$



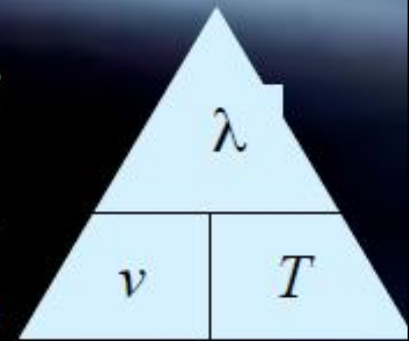
$$f = 1/T$$

$$v = \lambda/T$$

$$\lambda = vT$$

$$T = 1/f$$

$$T = \lambda/v$$



Example 1

Visible light has wavelengths between 400 nm and 700 nm, and its speed in a vacuum is $3.0 \times 10^8 \text{ m s}^{-1}$.

What is the maximum frequency of visible light?

Solution:

From $v = f\lambda$, the frequency $f = \frac{v}{\lambda}$, i.e. f is inversely proportional to λ .

For maximum frequency, minimum wavelength should be used.

$$\text{Hence, } f_{\max} = \frac{v}{\lambda_{\min}} = \frac{3 \times 10^8 \text{ m s}^{-1}}{400 \times 10^{-9} \text{ m}} = 7.5 \times 10^{14} \text{ Hz.}$$

Example 2

A sound wave of frequency 400 Hz is travelling in a gas at a speed of 320 m s^{-1} .

What is the phase difference between two points 0.2 m apart in the direction of travel?

Solution:

$$\text{Wavelength, } \lambda = \frac{v}{f} = \frac{320 \text{ m s}^{-1}}{400 \text{ Hz}} = 0.80 \text{ m}$$

$$\frac{\phi}{2\pi} = \frac{x}{\lambda} = \frac{0.2 \text{ m}}{0.8 \text{ m}} = \frac{1}{4}$$

$$\rightarrow \phi = \frac{\pi}{2} \text{ rad}$$

Example 4

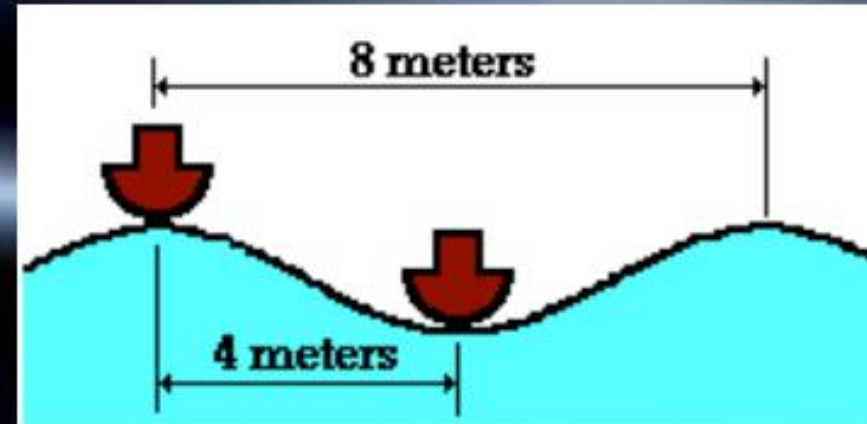
Two boats are anchored 4 metres apart. They bob up and down every 3 seconds, but when one is up the other is down. There are never any wave crests between the boats. Calculate the speed of the waves.

Solution:

$$\text{Period, } T = (3 \times 2) \text{ s} = 6 \text{ s}$$

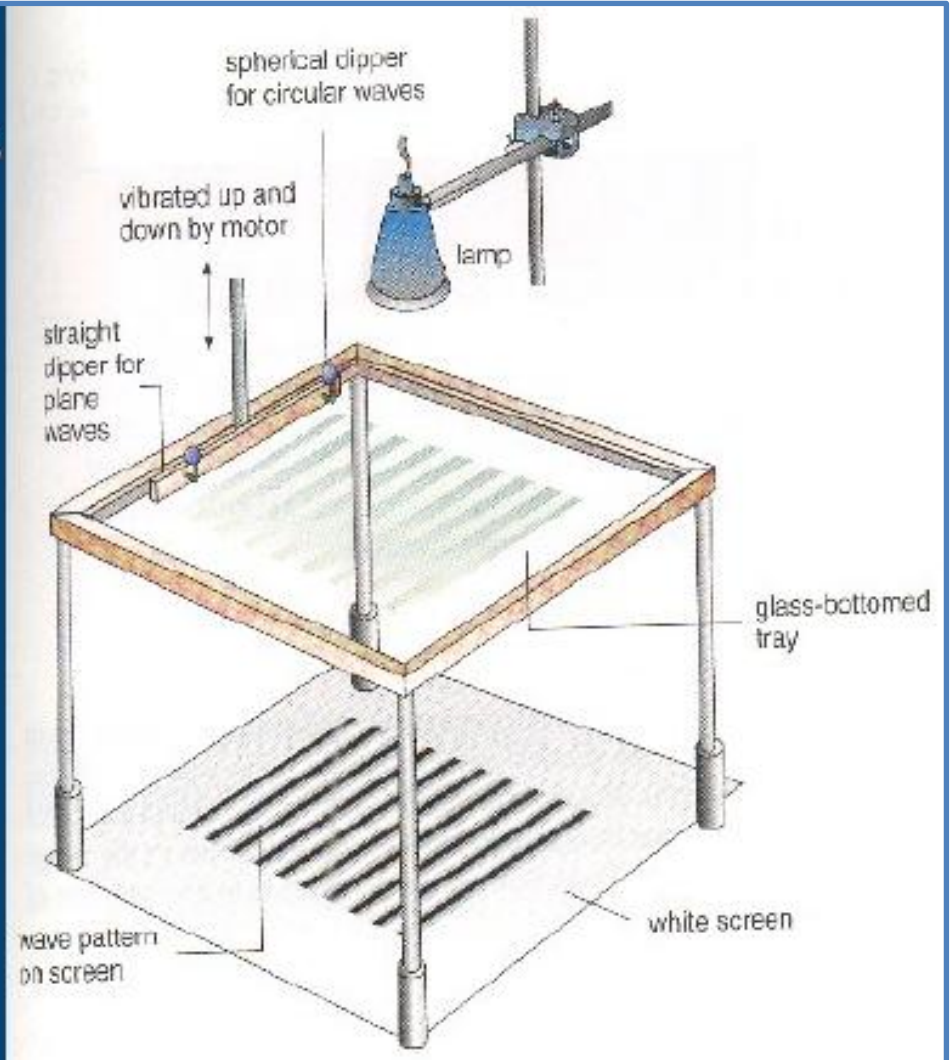
$$\text{Wavelength, } \lambda = 8 \text{ m}$$

$$\text{Speed, } v = \lambda/T = (8/6) \text{ m/s} = 1.33 \text{ m/s}$$



Ripple Tank (Wave production)

- The Structure
 - A shallow glass-bottomed tray;
 - A light source directly above the tray; and
 - A white screen beneath the tray used to capture the shadows formed when water waves traverse the tray.
- Production of waves
 - Plane waves by using the straight dipper
 - Circular waves by spherical dipper



Energy is transferred by a progressive wave

Wave Motion

- There are also two other ways to classify waves - by their motion. A wave in which energy is transferred from one place to another as a result of its motion is called a **progressive wave**.
- For example : An ultraviolet light wave, which transfers energy from the sun to the skin of people lying on the beach, for instance, is a progressive wave. In general, waves that move from one point to another transfer some kind of energy.
- In a progressive wave, the shape of the wave itself, is what is transferred, not the actual components of the medium.

Look at this animated example

- <http://library.thinkquest.org/15433/unit5/5-3.htm>



- This animation of a dog on a leash shows a progressive wave transferring energy from the boy to the dog, which end up getting flipped through the air.

Show an understanding that energy is transferred due to a progressive wave.

- **Oscillation** (or oscillatory motion) refers to the to-and-fro motion of a **particle** about an equilibrium position.

The oscillatory motion of the particle is a continuous exchange of potential and kinetic energy of the particle.

- **Wave** refers to the combined motion of a **series of linked-particles**, each of which is originally at rest at its respective equilibrium position. Starting from the *oscillation* of the *first particle* about its equilibrium position, the **energy** of the oscillation is passed to the *second particle*, which in turn is passed to the *third particle* and subsequent particles in the series of linked-particles.

So **wave motion is the motion of energy** passed from one particle to the next in a series, through oscillatory motion of these particles, in sequence.

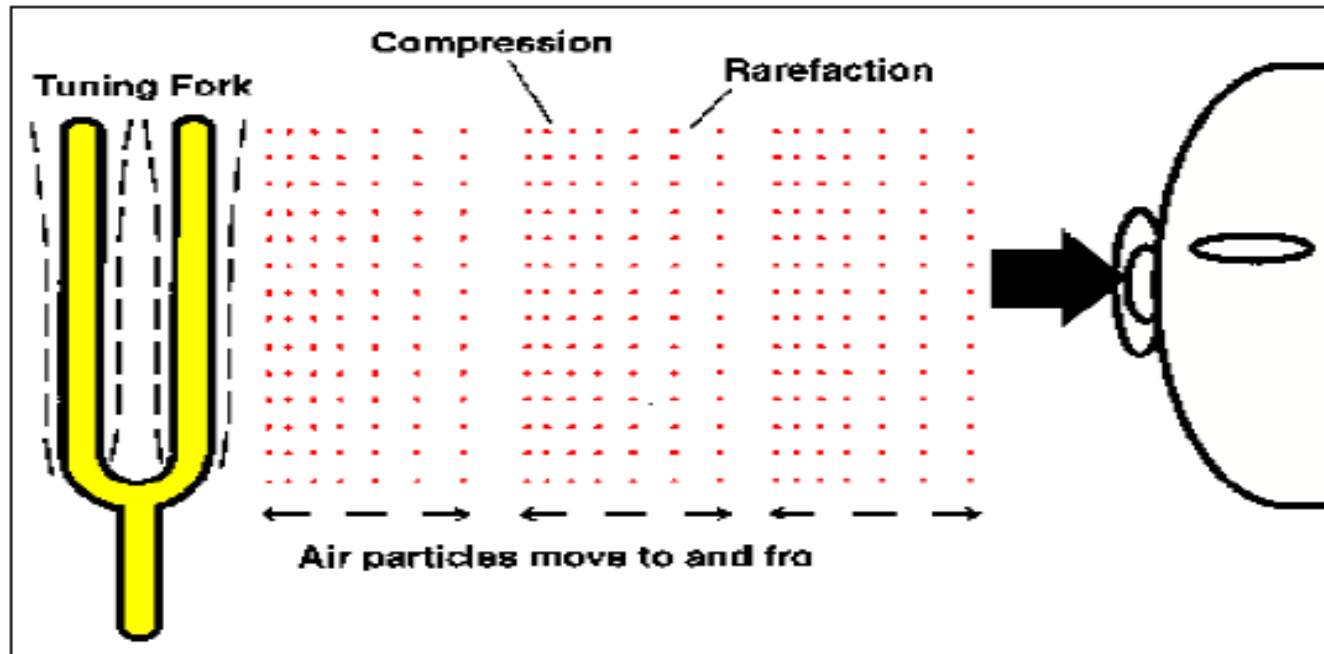
Examples:

(1) Sound wave:

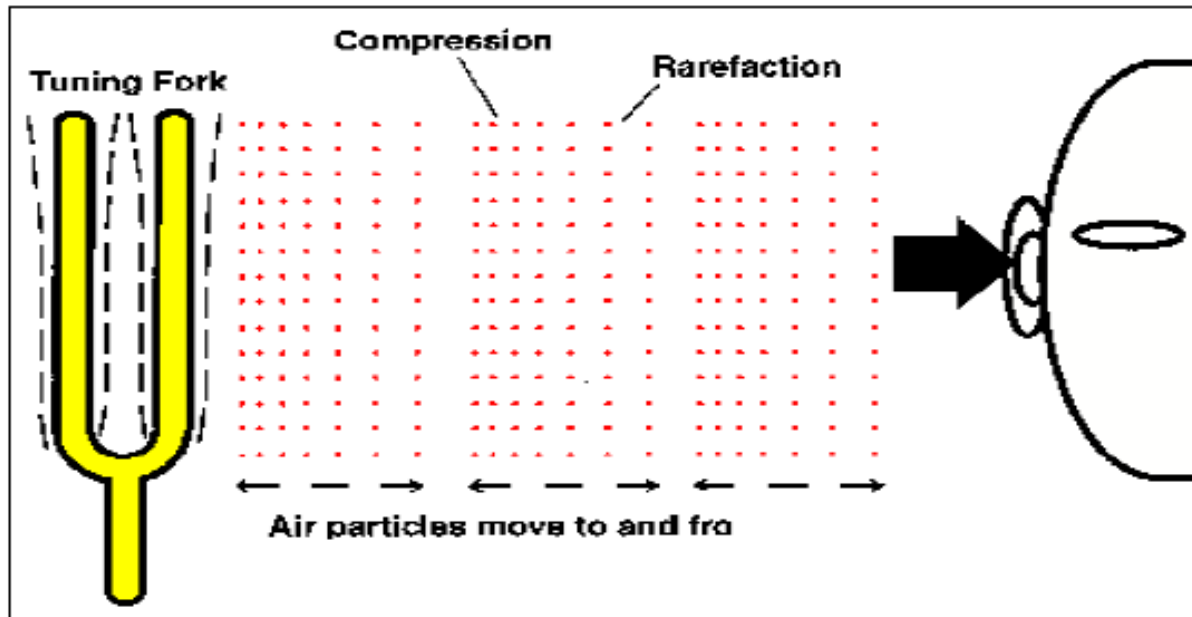
When a sound wave is propagated from a tuning fork to an ear of a person some distance away, the vibration of the fork sets the air layer next to it into vibration.

The second layer of air is then set into vibration by the transfer of energy from the first layer.

This transfer of energy continues for subsequent layers until the layer of air next to the ear is also set into vibration, which in turn vibrates the ear-drum of the ear, enabling the person to hear the sound originated from the tuning fork.



Continued



There is no net transfer of air particles from the tuning fork to the ear. The ear-drum in the ear can vibrate because energy has been transferred to it from the tuning fork, through the sequential vibration of the layers of air between the tuning fork and the ear. (Diagram above)

This sequential vibration of the layers of air forms regions of **compression** (where air layers are closer to each other) and regions of **rarefaction** (where air layers are further apart). The one-way movement of such regions from the tuning fork to the ear signifies the propagation of sound wave energy.

(2) Wave in a rope:

The wave travelling in a rope may originate from the vibration of the first particle at one end of the rope.

The energy of the vibrating first particle is transferred to the second particle, setting it into vibration.

This transfer of energy continues to subsequent particles in the rope until it reaches the other end of the rope.

(3) Water wave:

The energy of the vibrating water molecules is transferred to subsequent molecules along the surface of water, causing these molecules further from the vibrating source to be set into up-down motion.

The examples (1), (2) and (3) are examples of **progressive waves**, where energy is transferred from one region to another region through sequential vibration of a series of linked-particles.

The energy of a first vibrating particle is propagated along a series of linked-particles to another region. Sound energy is propagated from the tuning fork to the ear, energy from one end of a rope is propagated to the other end, and energy from one region of water surface next to a vibrating source is propagated to another region in the ripple tank.

Intensity of the Wave

One of the characteristics of a progressive wave is that it carries energy. The amount of energy passing through unit area per unit time is called the **intensity** of the wave. The intensity is proportional to the square of the amplitude of a wave. Thus, doubling the amplitude of a wave increases the intensity of the wave by a factor of four. The intensity also depends on the frequency: intensity is proportional to the square of the frequency.

For a wave of amplitude A and frequency f , the intensity I is proportional to A^2f^2 .

If the waves from a point source spread out equally in all directions, we have what is called a **spherical wave**. As the wave travels further from the source, the energy it carries passes through an increasingly large area. Since the surface area of a sphere is $4\pi r^2$, the intensity is $W/4\pi r^2$, where W is the power of the source. The intensity of the wave thus decreases with increasing distance from the source. The intensity I is proportional to $1/r^2$, where r is the distance from the source.

This relationship assumes that there is no absorption of wave energy.

Recall and use the relationship, intensity \propto (amplitude)².

Intensity, I , is the rate of incidence of energy per unit area normal to the direction of incidence.

The rate of incidence of energy can be regarded as power.

The plane of the area, which the wave energy is incident onto, has to be normal (perpendicular) to the direction of the incidence of the wave energy.

The **unit** of intensity is **W m⁻²**.

Intensity on an area A can be expressed as

$$I = \frac{P}{A}$$

where P is the power incident on the area normally.

Intensity \propto (amplitude)²

A sound wave of amplitude 0.20 mm has an intensity of 3.0 W m^{-2} .

What will be the intensity of a sound wave of the same frequency which has an amplitude of 0.40 mm?

Solution:

The relation

$$I \propto (\text{amplitude})^2$$

can be expressed as

$$I = k(\text{amplitude})^2$$

where k is the constant of proportionality.

Substituting,

$$3.0 \text{ W m}^{-2} = k(0.20 \text{ mm})^2 \quad \text{----- (1)}$$

New intensity,

$$I = k(0.40 \text{ mm})^2 \quad \text{----- (2)}$$

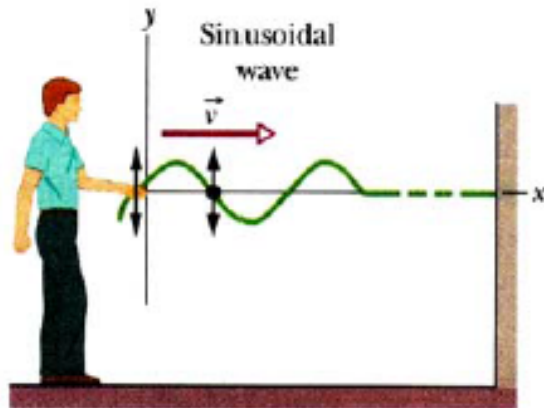
$$\frac{(2)}{(1)} : \quad \frac{I}{3.0 \text{ W m}^{-2}} = 4 \quad \rightarrow \quad I = 12.0 \text{ W m}^{-2}.$$

- For sound waves, **intensity** is a measure of **loudness**.
- For light waves, **intensity** is a measure of **brightness**.

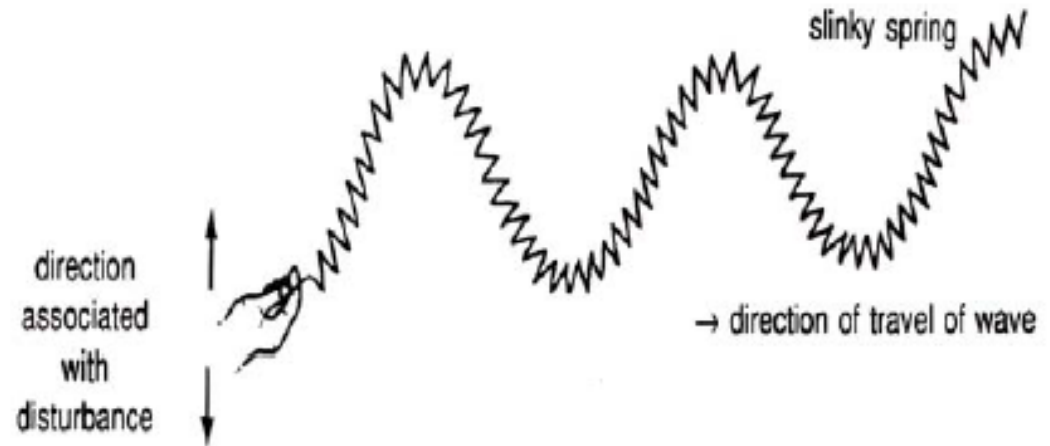
Analyse and interpret graphical representations of transverse and longitudinal waves.

- In a wave, there are ***two directions of motions:***
 - direction of propagation of energy (which is the direction of *motion of the wave*)
 - direction of oscillation of the particles in the wave.

A **transverse wave** is one in which the direction of propagation of energy is **perpendicular** to the direction of oscillation of the particles in the wave.

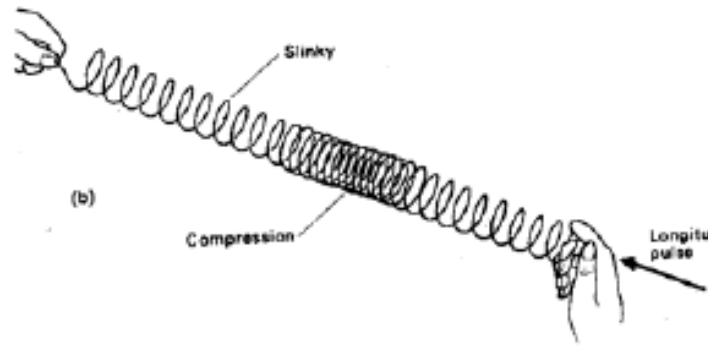


The string element's motion is **perpendicular** to the wave's direction of travel. This is a transverse wave.



In the example of a wave travelling along a string (or a wave travelling along a slinky diagrams above, the direction of propagation of the wave is along the string. If the wave is started from one end of the string by the oscillation of the first element in the direction *perpendicular* to the string, then this wave travelling along the string is an example of a *transverse wave*.

A **longitudinal wave** is one in which the direction of propagation of energy is **parallel** to the direction of oscillation of the particles in the wave.

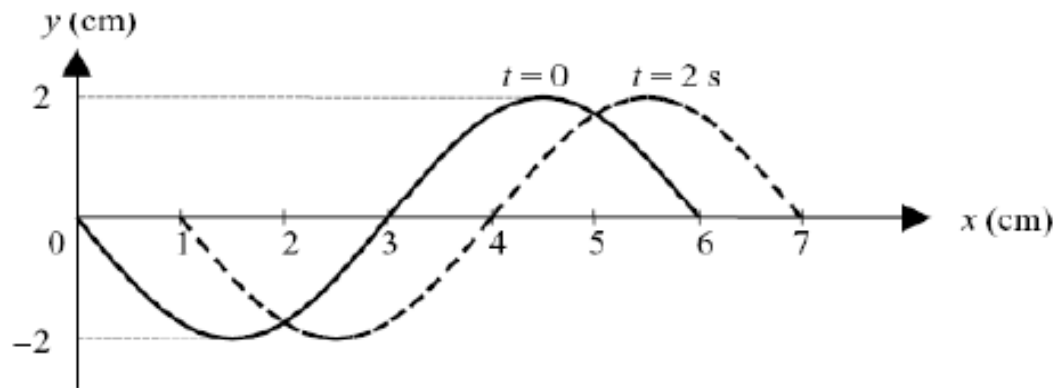


A visual demonstration of a longitudinal wave.

When a sound wave set up by the vibrating piston propagates along the pipe of air, the direction of propagation of sound energy is along the pipe to the right. The direction of oscillation of the air layers is back and forth, *parallel* to this direction. Hence sound wave is an example of a *longitudinal wave*,

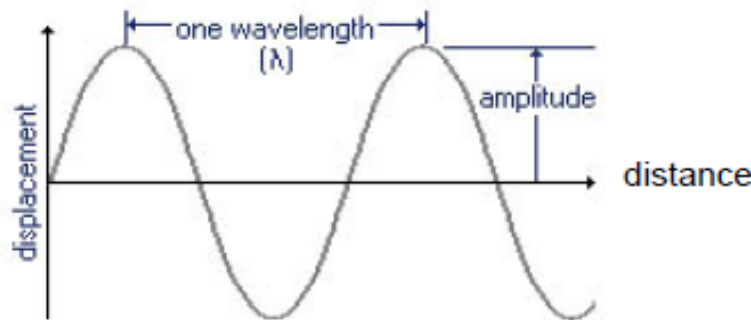
Graphs representing waves

These are plotted with displacement, y , **against distance or position, x .**



For a **transverse** wave moving from left to right along the x -axis, displacement of the particles in the wave, y , may be given a **+ve** sign for displacement **upwards**, and a **-ve** sign for displacement **downwards**.

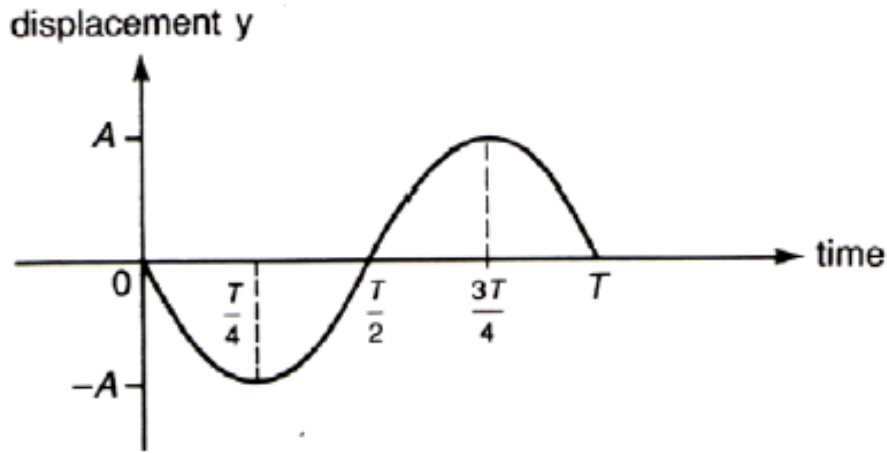
For a **longitudinal** wave moving from left to right along the x -axis, displacement of the particles in the wave, y , may be given a **+ve** sign for displacement **to the right**, and a **-ve** sign for displacement **to the left**.



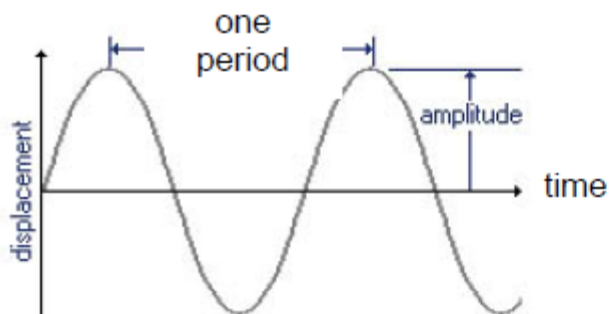
In Displacement vs. Position graphs,

- the graph represents the actual wave at an instant in time
- the distance between consecutive crests or consecutive troughs is **one wavelength**
- The maximum height of the vertical displacement is the **amplitude of wave**

In contrast, graphs used to represent an **oscillation of a particle** are plotted with displacement, y , **against time, t** .

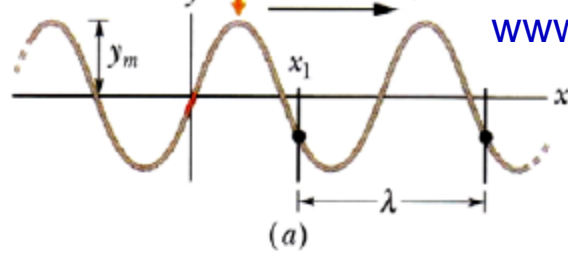


In the graph above, we are tracking the displacement of **one particle only** as time goes by. This does NOT represent the wave.



In Displacement vs. Time graphs,

- The graph represents the oscillation of one particle on the wave with time.
- the “distance” between consecutive crests or consecutive troughs is **one period**
- The maximum height of the vertical axis = amplitude of **oscillation**



transverse wave in a string, travelling in the +ve direction of an x-axis (left to right).

- The movement of the wave is indicated by the right-ward progress of the short down-pointing arrow, pointing at the middle 'crest' of the wave in snapshot (a).
- From snapshots (a) to (e), the short arrow moves to the right with the wave, but each particle in the string moves parallel to the y-axis (up and down). An example of such a particle is along the y-axis (shown darkened).
- Each snapshot is taken at an interval of $\frac{1}{4}$ period. One full oscillation takes place from (a) to (e).

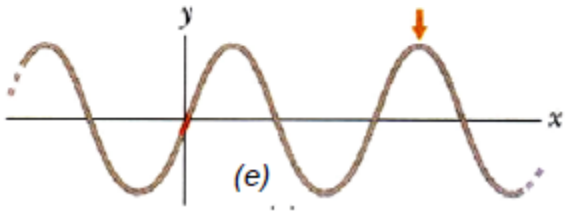
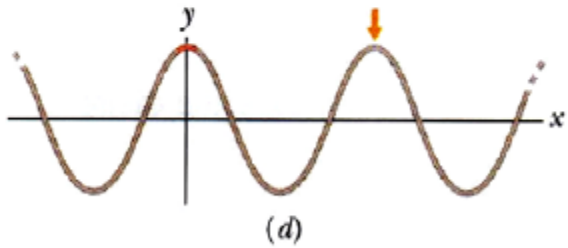
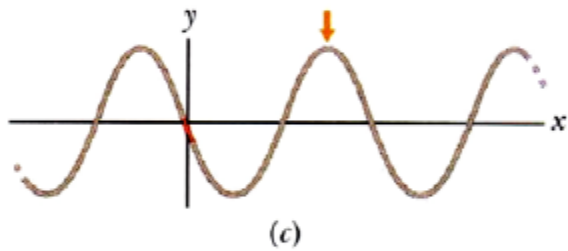
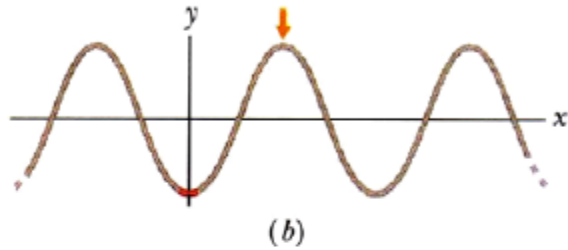
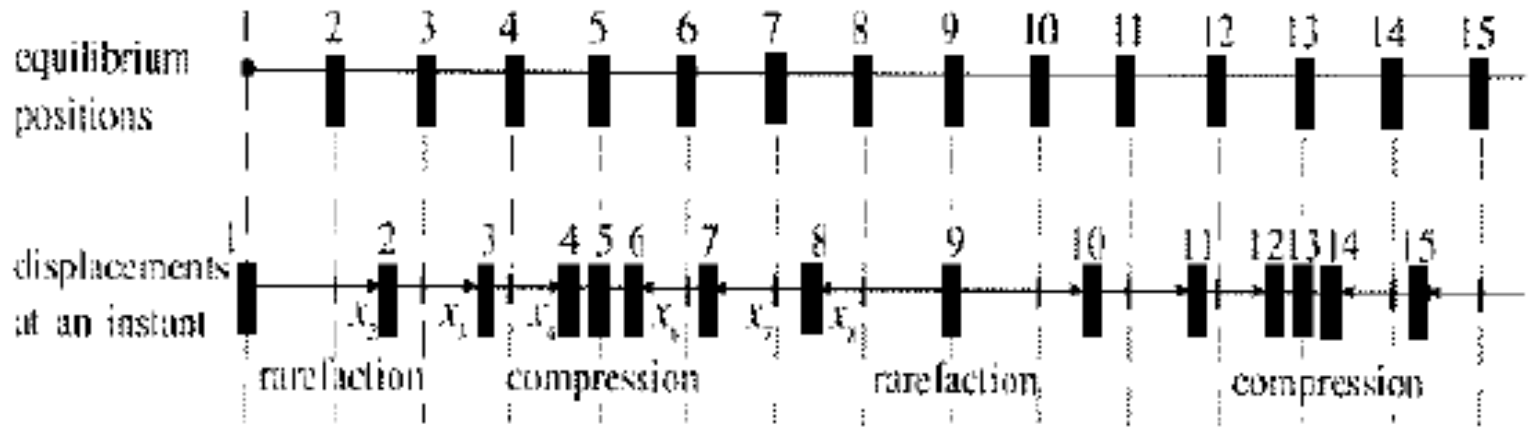


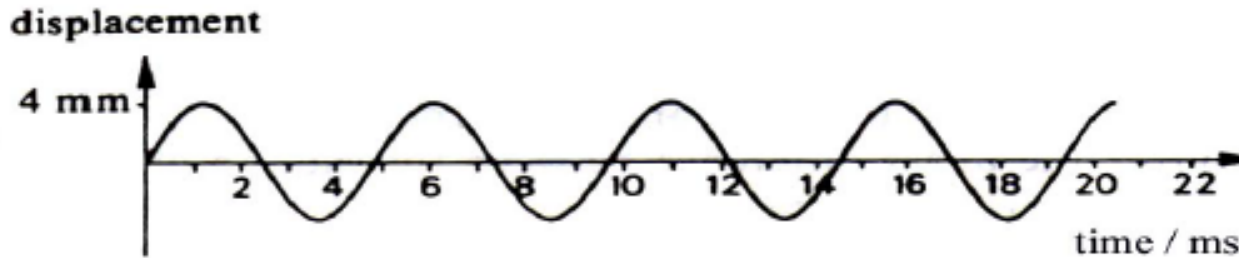
Fig.2

Actual positions of layers within the longitudinal wave



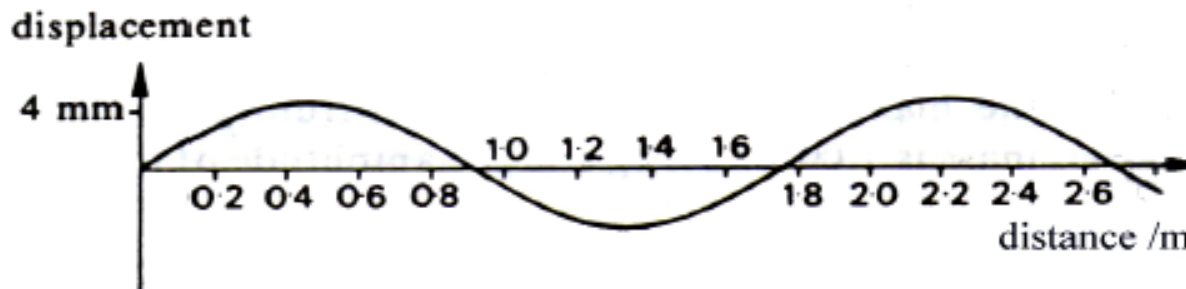
Summary For Part (f):

- (1) **Displacement-time graph** is for the **oscillation of a particle** in the wave.



The graph above shows an element oscillating with an amplitude of 4 mm. Its **period** of oscillation is about 5 ms.

- (2) **Displacement-distance graph** is for a **snapshot of a wave motion at an instant**.



The graph above shows an instant of a wave with an amplitude of 4 mm. Its **wavelength** is about 1.8 m.

Example 7

The diagram below shows an instantaneous position of a string as a transverse progressive wave travels along it from left to right.



Which one of the following correctly shows the directions of the velocities of the points 1, 2 and 3 on the string?

	1	2	3
A	→	→	→
B	→	←	→
C	↓	↓	↓
D	↓	↑	↓
E	↑	↓	↑

Solution

Knowing that the wave is traveling from LEFT to RIGHT, sketch how the wave would look like just an instant after:

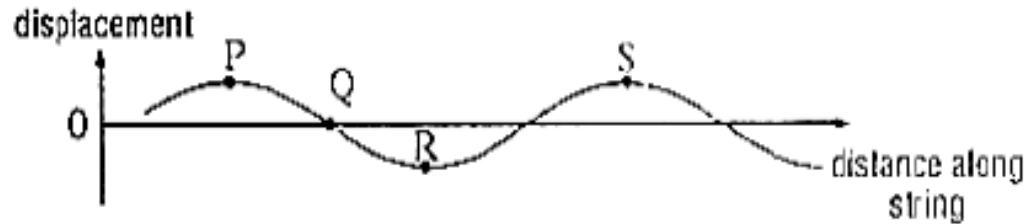


Then look at the points concerned.
Since it is a TRANSVERSE wave, the particles only oscillates perpendicular to the wave direction.
This eliminates Answers A & B.

Ans D

Example 8

The graph shows the shape **at a particular instant** of part of a transverse wave travelling along a string.



Which statement about the motion of elements of the string is correct?

- A The speed of the element at P is a maximum
- B The displacement of the element at Q is always zero
- C The energy of the element at R is entirely kinetic
- D The acceleration of the element at S is a maximum

Solution:

Although the graph represents the whole wave at an instant in time, the question requires you to **analyse the motion of the individual particles** within the wave at this instant.

Element P: At extreme end of oscillation	→	stationary
Element Q: At equilibrium position	→	moving fastest
Element R: At extreme end of oscillation	→	stationary, no kinetic energy
Element S: At extreme end of oscillation	→	max displacement, max acceleration

Ans: D



Electromagnetic Waves

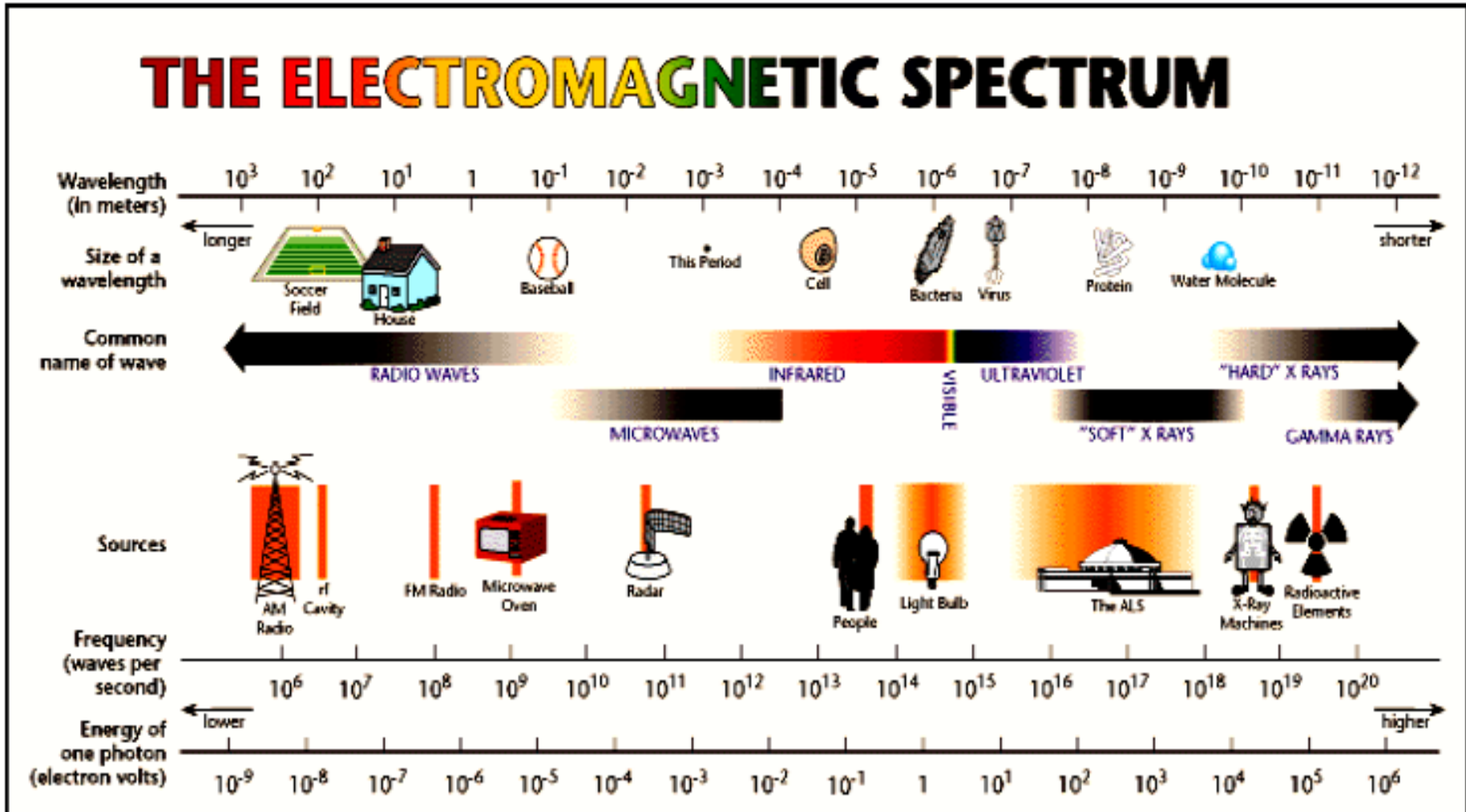
James Clerk Maxwell's (1831 – 1879) crowning achievement was to show that a beam of light is a travelling wave of electric and magnetic field, an *electro-magnetic wave*.

In Maxwell's time, the *visible*, *infrared* and *ultraviolet* form of light were the only electromagnetic waves known. *Heinrich Hertz* then discovered what we now call *radio waves* and verified that they move through the laboratory at the same speed as visible light.

We now know a wide spectrum of electromagnetic waves. The Sun, being the dominant source of these waves, continually bathes us with electromagnetic waves throughout this spectrum.

Reference : * This is a very useful video
http://www.youtube.com/watch?v=pYE8UHcL_gU

THE ELECTROMAGNETIC SPECTRUM



Type of EM wave	Typical Wavelengths λ and its corresponding frequency, f.	Orders of magnitude for wavelength, λ / m
Gamma (γ) rays	$\lambda = 1 \text{ pm} = 10^{-12} \text{ m}$ $f = 3 \times 10^{20} \text{ Hz}$	10^{-12}
x-rays	$\lambda = 100 \text{ pm} = 10^{-10} \text{ m}$ $f = 3 \times 10^{18} \text{ Hz}$	10^{-10}
UV ultraviolet	$\lambda = 10 \text{ nm} = 10^{-8} \text{ m}$ $f = 3 \times 10^{16} \text{ Hz}$	10^{-8}
Visible light	$\lambda_{\text{red}} = 700 \text{ nm}$ $\lambda_{\text{green}} = 600 \text{ nm} = 0.6 \mu\text{m}$ $\lambda_{\text{violet}} = 400 \text{ nm}$ $f_{\text{green}} = 5 \times 10^{14} \text{ Hz}$	10^{-6}
IR (infra-red)	$\lambda = 100 \mu\text{m} = 10^{-4} \text{ m}$ $f = 3 \times 10^{12} \text{ Hz}$	10^{-4}
Radio wave (includes microwaves, UHF, VHF etc)	$\lambda = 3 \text{ m}$ $f = 10^8 \text{ Hz}$	$10^0 \sim 10^{-2}$

Properties of Electromagnetic Waves

- 1) EM waves have the same **speed, c, in vacuum** ($c \approx 3 \times 10^8 \text{ m s}^{-1}$).
- 2) EM waves consist of oscillating **electric and magnetic fields** that are perpendicular to each other.
- 3) EM waves are all **transverse waves**.

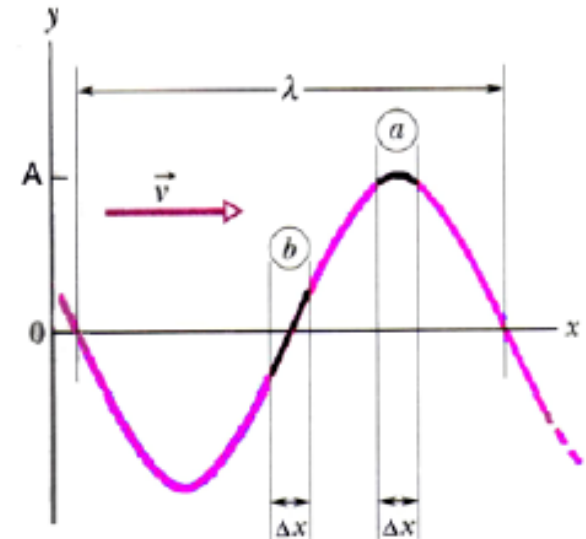
Energy (E) and Intensity (I) of a Progressive Wave

When we set up a wave on a stretched string, we provide energy for the motion of the string. As the wave moves away from us, it transports that energy as both kinetic energy and elastic potential energy.

Kinetic Energy

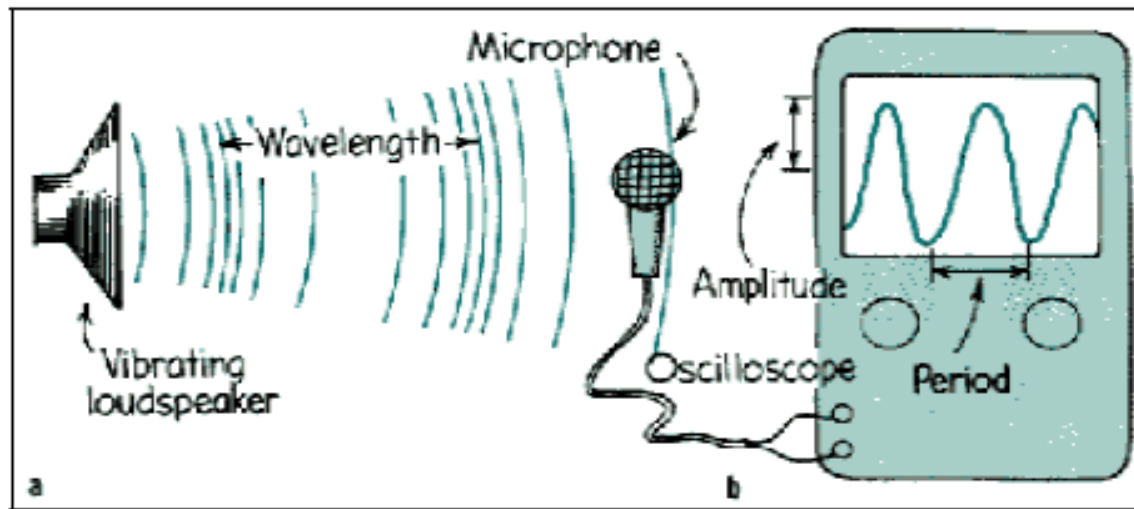
An element of the string of mass Δm , oscillating transversely in simple harmonic motion as the wave passes through it, has KE associated with its transverse velocity \vec{u} .

- When the element is rushing through its $y = 0$ position (element b in the diagram), its transverse velocity – and thus its KE – is a maximum.
- When the element is at its extreme position $y = A$ (element a), its transverse velocity – and thus its KE – is zero.



The frequency of sound using a calibrated CRO

(This topic was done in Second chapter : Measurement & Techniques)



A calibrated c.r.o. (cathode-ray oscilloscope) implies that the time-base is set such that the period, T , of oscillations of the air layers detected by the microphone may be read.

Using the relation

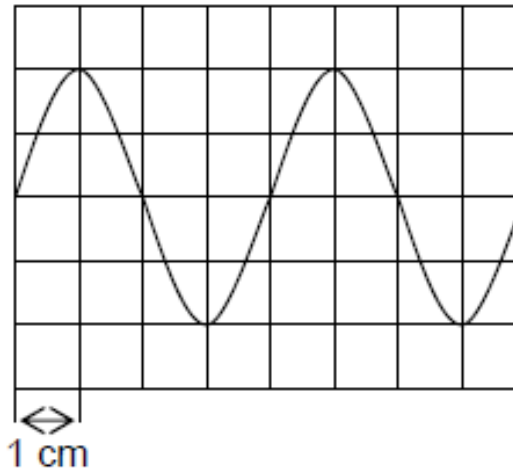
$$f = \frac{1}{T}$$

the frequency, f , of sound produced by the vibrating loudspeaker may be determined.

Sample problem

(This topic was done in Second chapter : Measurement & Techniques)

The trace shown appeared on an oscilloscope screen with the time-base set to 2.0 ms cm^{-1} .



What is the frequency of the signal?

- A** 40 Hz **B** 125 Hz **C** 250 Hz **D** 500 Hz

Solution

Period, $T = 2.0 \text{ ms cm}^{-1} \times 4 \text{ cm} = 8.0 \text{ ms}$

Frequency, $f = \frac{1}{T} = \frac{1}{8 \times 10^{-3}} = 125 \text{ Hz}$

Ans: B

The wavelength of sound using stationary waves

- This topic would be studied in detail in next chapter 'Superposition'.
- Please refer to notes on **Stationary Waves** in the topic **Superposition**.

POLARISATION

Electromagnetic Wave : Electric Field & Magnetic Field

- A light wave is an **electromagnetic wave** that travels through the vacuum of outer space.
- Electromagnetic wave is a **transverse wave** that has both an electric and a magnetic component.

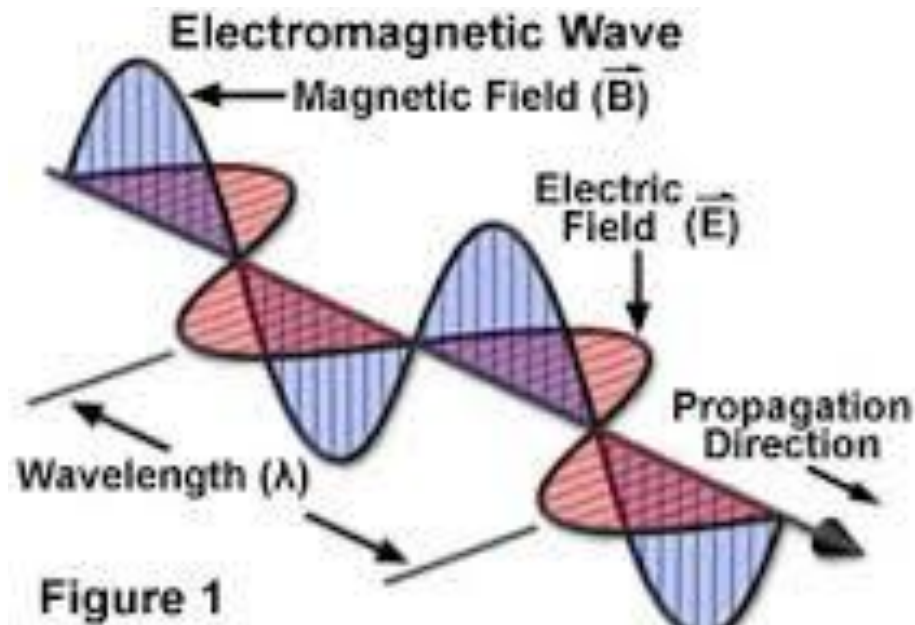
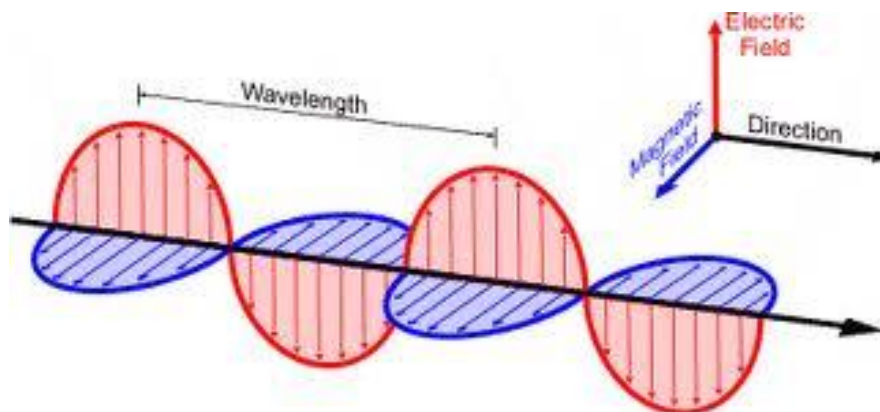


Figure 1

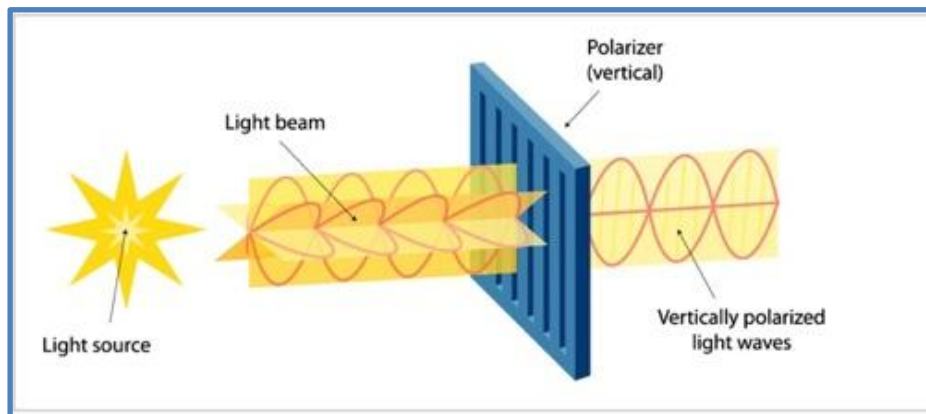
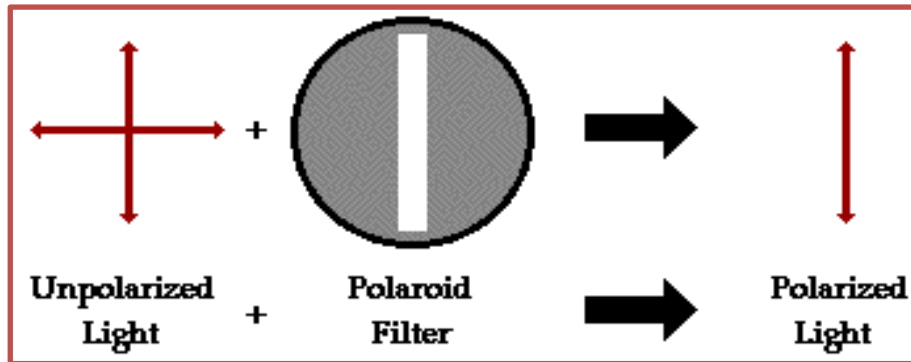
Electromagnetic Wave : Electric Field & Magnetic Field

- A light wave that is vibrating in more than one plane is referred to as **unpolarized light**.
- Light emitted by the sun, by a lamp in the classroom or by a candle flame **are examples of unpolarized light**.
- Such light waves are created by electric charges and vibrate in a variety of directions.



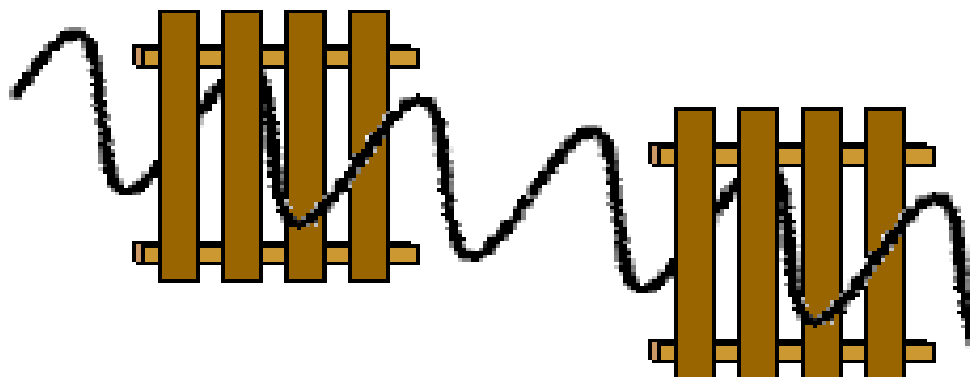
Polarization is a phenomenon with transverse waves

- Process by which a wave's oscillations are made to occur in **one plane** only.
- Associated with **transverse waves** only.

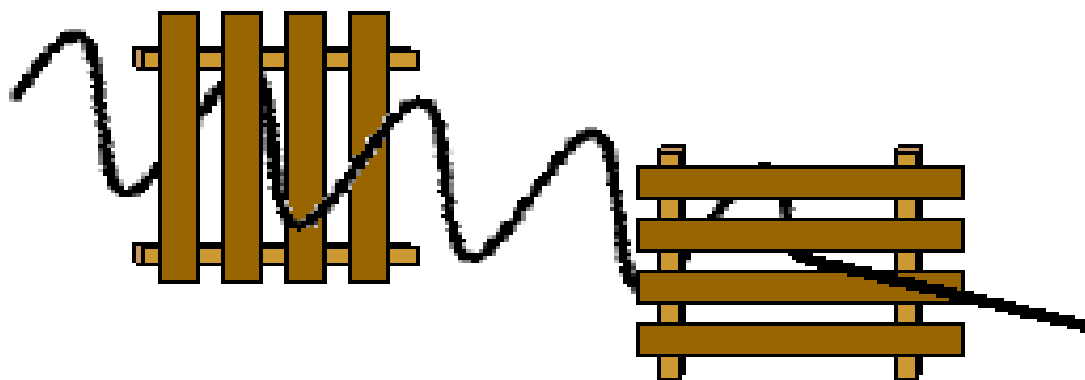


Note : Here, Polarization of light is analogous to that shown in the diagrams.

The Picket Fence Analogy



When the pickets of both fences are aligned in the vertical direction, a vertical vibration can make it through both fences.



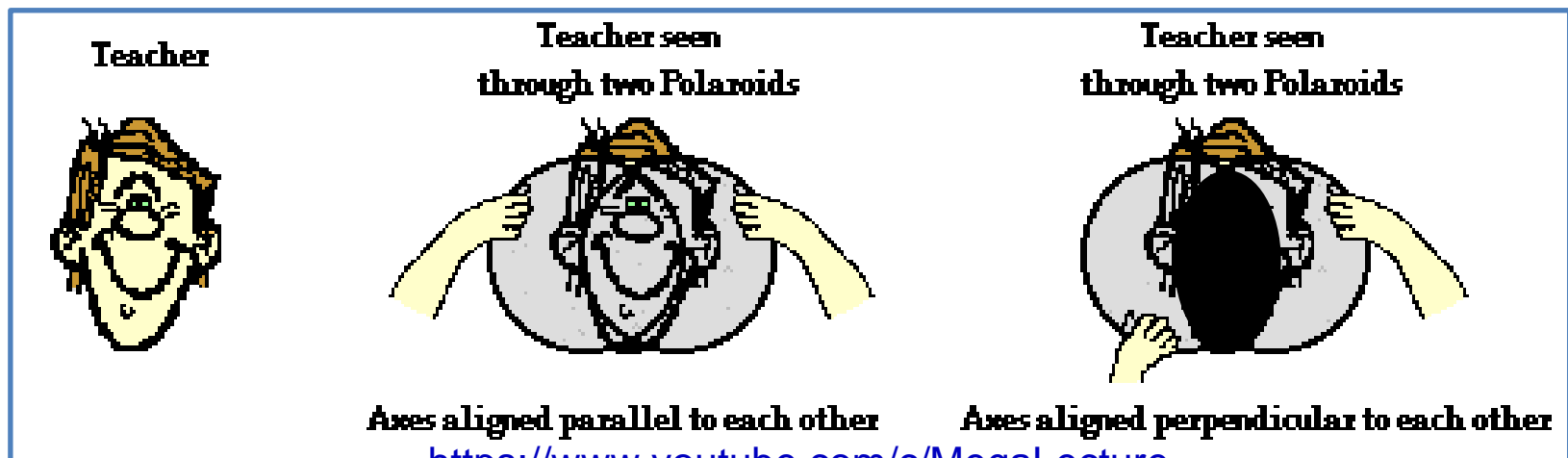
When the pickets of the second fence are horizontal, vertical vibrations which make it through the first fence will be blocked.

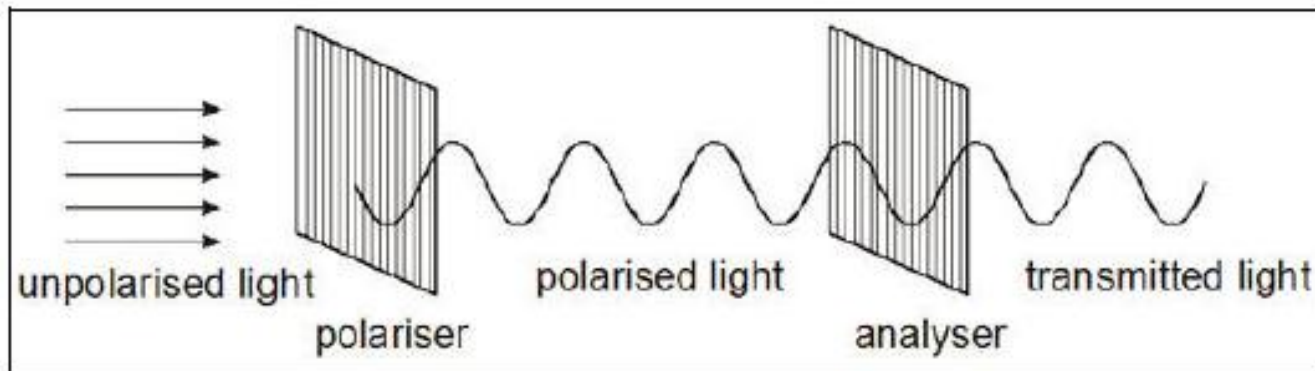
Show an understanding that
Polarisation is a phenomenon
associated
with transverse waves

Reference link :

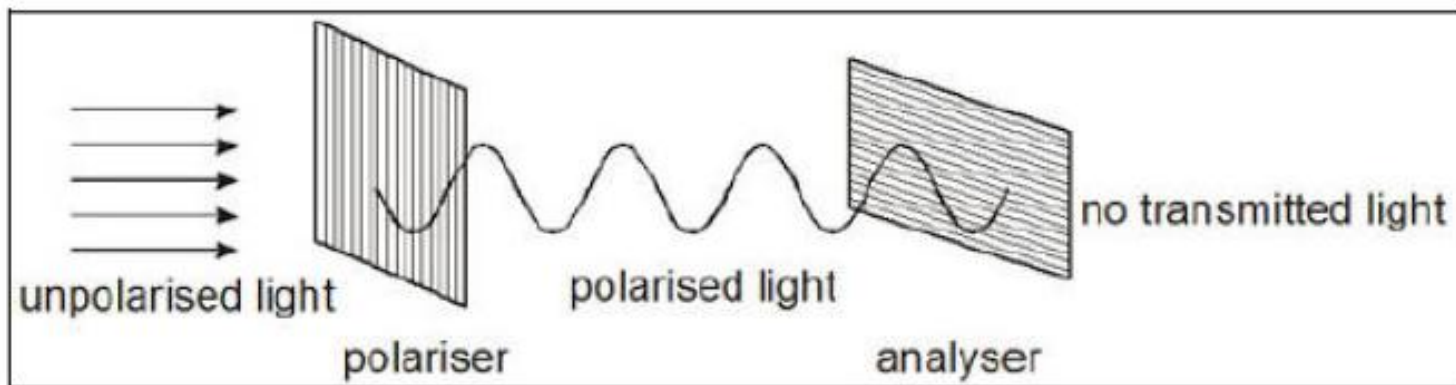
<http://www.youtube.com/watch?v=e8aYoLj2rO8>

- The most common method of polarization involves the use of a **Polaroid filter**.
- Polaroid filters are made of a special material that is capable of blocking one of the two planes of vibration of an electromagnetic wave.
- In this sense, a Polaroid serves as a device that filters out one-half of the vibrations upon transmission of the light through the filter. When unpolarized light is transmitted through a Polaroid filter, it emerges with one-half the intensity and with vibrations in a single plane; it emerges as polarized light.





Light travelling *parallel* to polariser \rightarrow the transmitted light has (almost) the same intensity as the polarised light (i.e. the amplitude of the light wave is identical).



When the 2nd polariser, or the Analyser is *perpendicular* to polariser, no transmitted light is observed. Hence, intensity is zero. (i.e. the amplitude of the light wave is zero).

A longitudinal waves cannot be Polarised. Why?

A longitudinal waves cannot be polarised because the particles in the wave oscillate parallel to the wave direction and cannot be restricted to vibrate in any plane.

Applications of Polarizations

1) Polaroid sunglasses

- The glare from reflecting surfaces can be **diminished** with the use of Polaroid sunglasses.
- The polarization axes of the lens are vertical, as most glare reflects from horizontal surfaces.



2) Polarization is also used in the entertainment industry to produce and show 3-D movies.

Reference link : <http://www.youtube.com/watch?v=qIKzPgo2rNw>

HOW 3D WORKS (not in syllabus, just for your information only)

- Three-dimensional movies are actually two movies being shown at the same time through two projectors.
- The two movies are filmed from two slightly different camera locations. Each individual movie is then projected from different sides of the audience onto a metal screen.
- The movies are projected through a polarizing filter. The polarizing filter used for the projector on the left may have its polarization axis aligned horizontally while the polarizing filter used for the projector on the right would have its polarization axis aligned vertically.
- Consequently, there are two slightly different movies being projected onto a screen. Each movie is cast by light that is polarized with an orientation perpendicular to the other movie. The audience then wears glasses that have two Polaroid filters. Each filter has a different polarization axis - one is horizontal and the other is vertical. The result of this arrangement of projectors and filters is that the left eye sees the movie that is projected from the right projector while the right eye sees the movie that is projected from the left projector. This gives the viewer a perception of depth.

QUESTION TIME !

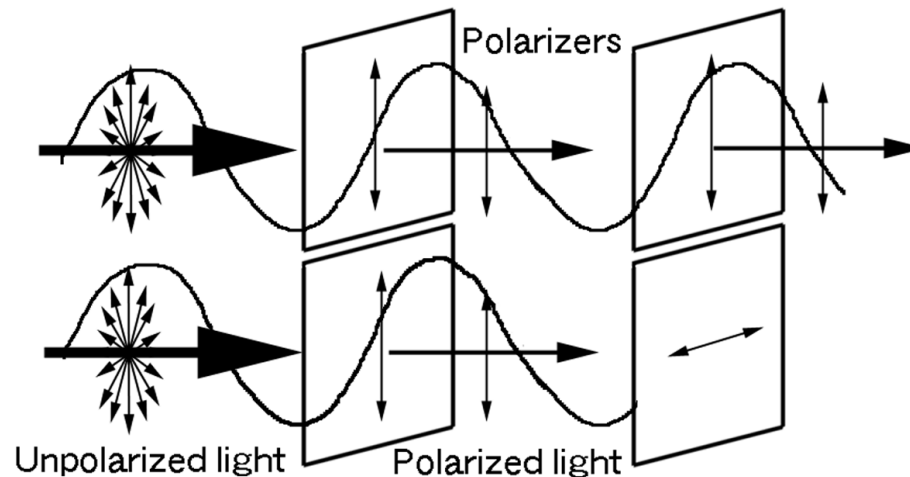
Check your understanding on Polarization

Question No.1

1. Suppose that light passes through two Polaroid filters whose polarization axes are parallel to each other. What would be the result?

Answer - Question No.1

The first filter will polarize the light, blocking one-half of its vibrations. The second filter will have no effect on the light. Being aligned parallel to the first filter, the second filter will let the same light waves through.



Question No.2

2. Which of the following **cannot** be polarised?

A-infrared waves

B-microwaves

C-sound waves

D- ultraviolet waves

Answer - Question No.2

- **Answer: C – Sound waves**

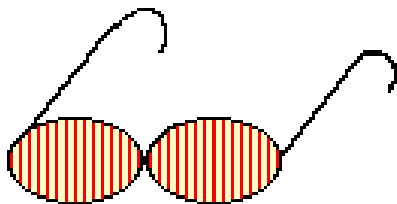
A longitudinal waves cannot be polarised because the particles in the wave oscillate parallel to the wave direction and cannot be restricted to vibrate in any plane.

Question No.3

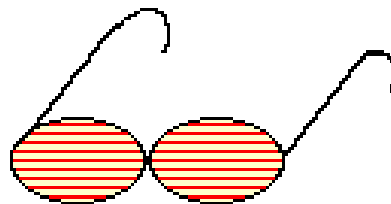
3. Consider the three pairs of sunglasses below. Identify the pair of glasses which is capable of eliminating the glare resulting from sunlight reflecting off the calm waters of a lake?

_____ Explain.

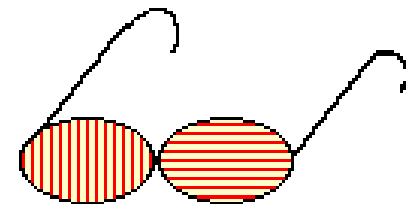
(The polarization axes are shown by the lines.)



A



B



C

Answer - Question No.3

- Answer: **A**
- The glare is the result of a large concentration of light aligned parallel to the water surface. To block such plane-polarized light, a filter with a vertically aligned polarization axis must be used.

