



Standard form:

$$a \times 10^n$$

-) Where a one digit.
-) And n +ve ←
- ve →

Simple Interest:

$$I = \frac{R}{1}$$

- Where
- I : Interest.
 - P: Amount of Money.
 - T: Time Yearly.
 - R: Rate.

Compound Interest:

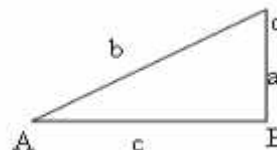
$$T = P(1+R/100)^n$$

- T: Total Amount of Money.
- P: Amount of Money.
- R: Rate.
- n: Time Yearly.

Shape	Area	Perimeter
Rec	L x W	2(L + W)
Square	L x W	4 L
Parallel	B x h	Sum of side
Trap	1/2 (a + b)h	Sum of side
Kite	1/2 D ₁ x D ₂	Sum of side
Triangle	1/2 B x h 1/2 a x b x sin t	Sum of side
Circle	r ²	2 r

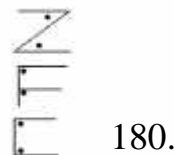
In a right angle triangle

-) SOH/ CAH/ TOA
-) $b^2 = a^2 + c^2$ (Pythagoras Therom)



Parallel lines

-) Two alternate equal angles.
-) Two corresponding equal angles.
-) Two interior angles are equal to



In Circle

-) radius tangent
-) 2 circular angle equal
-) Central angle = 2 circles
-) 2 tangent are equal
-) Angle opposite Diameter = 90°



-) In cyclic opposite angle = 180°
-) Arc length = $\frac{G}{3} \times 2\pi r$
-) Sector area = $\frac{G}{3} \times \pi r^2$

Volume = $A \times h$

A = Base area.

Sum of interior = $(n-2)180$

Each angle in regular = $\frac{(n-2)180}{n}$

Sum of exterior = 360°

In similarity

-) Angles equal
-) Sides proportional (equal ratio)
-) $\frac{A_1}{A_2} = \left(\frac{S_1}{S_2}\right)^2$
-) $\frac{V_1}{V_2} = \left(\frac{S_1}{S_2}\right)^3$

Direct Variation

$$x \propto y \longrightarrow x = k y$$

Inversely Variation

$$x \propto \frac{1}{y} \longrightarrow x = \frac{k}{y}$$

Indices

$$a^n \times a^m = a^{n+m}$$

$$a^n \div a^m = a^{n-m}$$

$$(a^n)^m = a^{nm}$$

$$\sqrt[n]{a^m} = a^{\frac{m}{n}}$$

$$a^0 = 1$$

$$a^{-1} = \frac{1}{a}$$

Inequality

$$-x < y \longrightarrow x > -y$$

Linear programming

-) Shade unrequired region after:-
-) Turn inequality \longrightarrow equation. (make y subject)
-) Draw equation of (straight line).
-) Shade over or under the line.

Bearing:

Angle measured
) From North Clock Wise

Sine rule:

Given angle & opposite side

$$\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}$$

Cosine rule:

Given 3 sides or 2 sides and angle in bet.

$$a^2 = b^2 + c^2 - 2bc \cos A$$

$$\cos A = \frac{b^2 + c^2 - a^2}{2bc}$$

Limits of Accuracy:

nearest \longrightarrow $\div 2 \longrightarrow$ result \pm

Quadratic Equation:

Correct to 2 decimal place use

$$X = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a} \text{ where } ax^2 + bx + c = 0$$

Gradient:

-) Line touches the curve at point
-) Tan angle.
-) Diff of y / diff of x

Equation of straight line $\longrightarrow y = mx + c$

Where m = gradient, c = y intercept

Graphical soln:

-) Point of intersection of curve with x axis or line
-) Line cut x axis $\longrightarrow y = 0$
-) Line cut y axis $\longrightarrow x = 0$

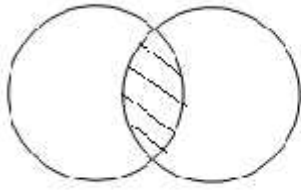
In a speed time graph:

Distance = Area under graph.

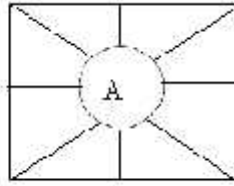
$$\text{Acceleration} = \frac{\text{change in speed}}{\text{change in time}}$$



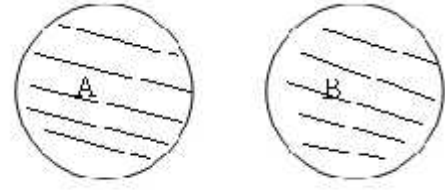
Sets:



$A \cap B$
 $1 \in A$
 $1 \notin B$



complement
 not A
 $A \subset \delta$
 $B \subset \varepsilon$



$A \cup B$
 all element

In Vector:

) If you want resultant you must start with point and end by the other.

For example: $\vec{A} = \vec{A} + \vec{C} + \vec{D}$

Column Vector:

$$\begin{pmatrix} 3 \\ 2 \end{pmatrix} = \vec{A}$$

Start with A 3 unit in +ve x
 Then 2 unit in +ve y

Parallel Vector:

$$k \begin{pmatrix} a \\ b \end{pmatrix} // \begin{pmatrix} a \\ b \end{pmatrix}$$

Modulus Vector:

• Length • magnitude

$$\text{If } \vec{a} = \begin{pmatrix} x \\ y \end{pmatrix} \longrightarrow |a| = \sqrt{x^2 + y^2}$$

Function:

) To get the inverse make x subject.

) Composed function substitute x by function.

Matrix:

Order $R \times C$

$M_1 \times M_2$

For multiply $R_1 \times C_1$ $R_2 \times C_2$

Condition $C_1 = R_2$



Inverse of matrix:

$$A = \begin{pmatrix} a & b \\ c & d \end{pmatrix}$$

$$A^{-1} = \frac{1}{a-d} \begin{pmatrix} d & -b \\ -c & a \end{pmatrix}$$

$$AA^{-1} = I \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$$

I → Identity

Transformation:

G1 the size not change

-) Reflection → Distance from O to Mir = Distance from I to Mir
→ OI Mir
-) Rotation → center (Bisector of O & I)
→ Angle of rotation
→ Direction
-) Translation → $\begin{pmatrix} x \\ y \end{pmatrix}$ column vector

G2 the size changed (scale factor)

Enlargement

-) Scale factor
-) Center of enlargement

$$\text{Scale Factor} = \frac{l_i \text{ hto } l}{l_i \text{ ho } o}$$

Shear

-) Scale factor
-) Invariant line

$$\text{Scale Factor} = \frac{D_o \text{ Im}}{+a \text{ o of } l}$$

Stretch

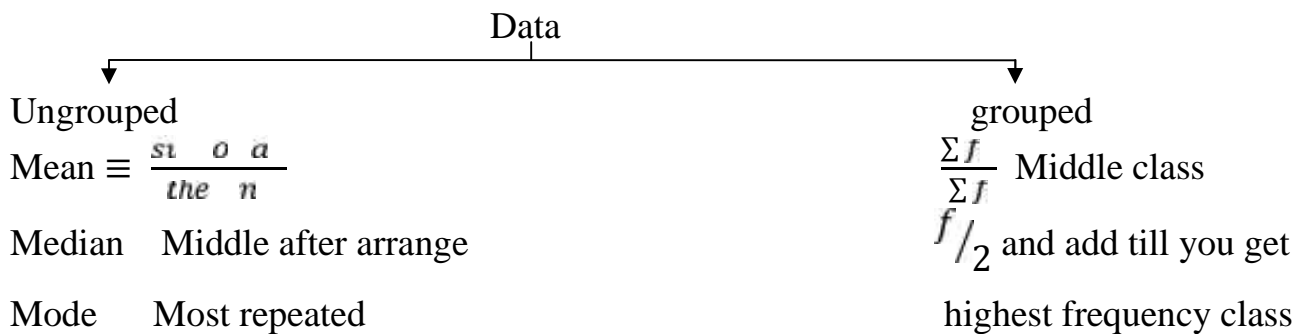
-) Scale factor
-) Invariant line

$$\text{Scale Factor} = \frac{+d \text{ o If } l_i}{+d \text{ o of } l_i}$$



Statistics

-) If histogram f.d = $\frac{f}{c \cdot w \cdot n}$
-) If pie chart total frequency $\equiv 360^\circ$



In cumulative frequency curve:

Median = 50% of frequency
 Upper quartile = 75% of frequency
 Lower quartile = 25% of frequency
 Inter quartile = upper – lower

Probability

$$0 \leq P \leq 1$$

$$P = \frac{\text{no. of favorable outcomes}}{\text{total no. of outcomes}}$$

Sum of all probability = 1
 For 2 events A & B
 $P(A \text{ and } B) = P(A) \times P(B)$
 $P(A \text{ or } B) = P(A) + P(B)$

If we have 2 points A (x₁, y₁) B(x₂, y₂)

A B

Length of $\overline{AB} = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$

Mid-point = $(\frac{x_1+x_2}{2}, \frac{y_1+y_2}{2})$

Grad = $\frac{y_2 - y_1}{x_2 - x_1}$